

Graphene on Silicon Carbide: a laboratory for basic principles of solid state physics

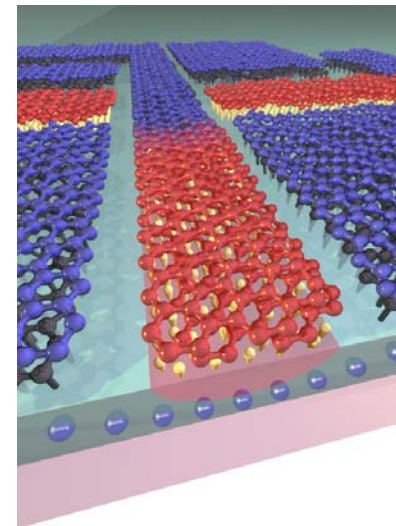
Heiko B. Weber
Chair for Applied Physics
Friedrich-Alexander-Universität Erlangen-Nürnberg

Epitaxial graphene on SiC

Physics in the graphene plane

The graphene/SiC system: a Schottky junction

Physics in SiC: Colour centres



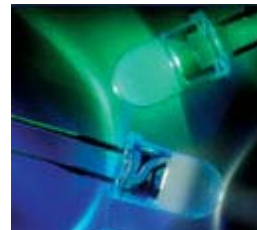
Silicon carbide



Abrasive

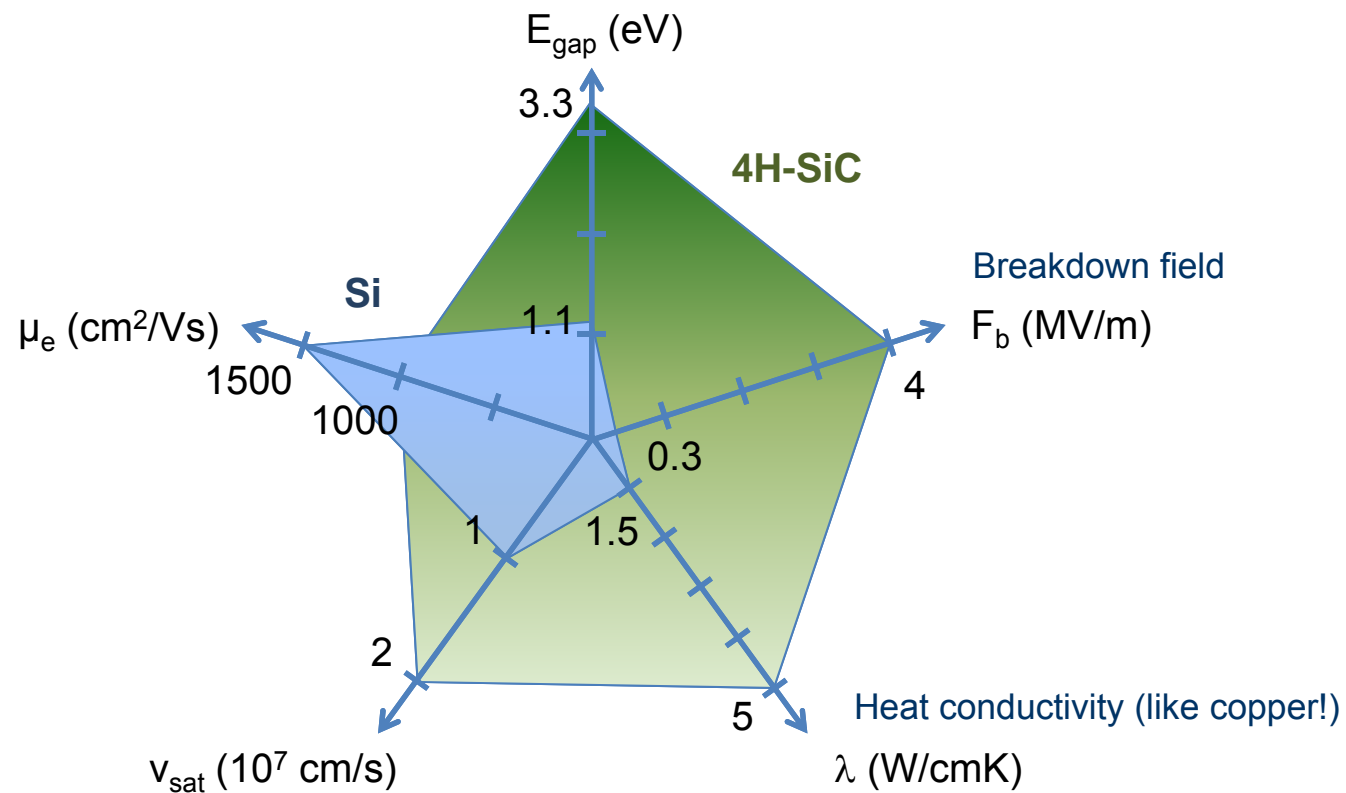


Jewel

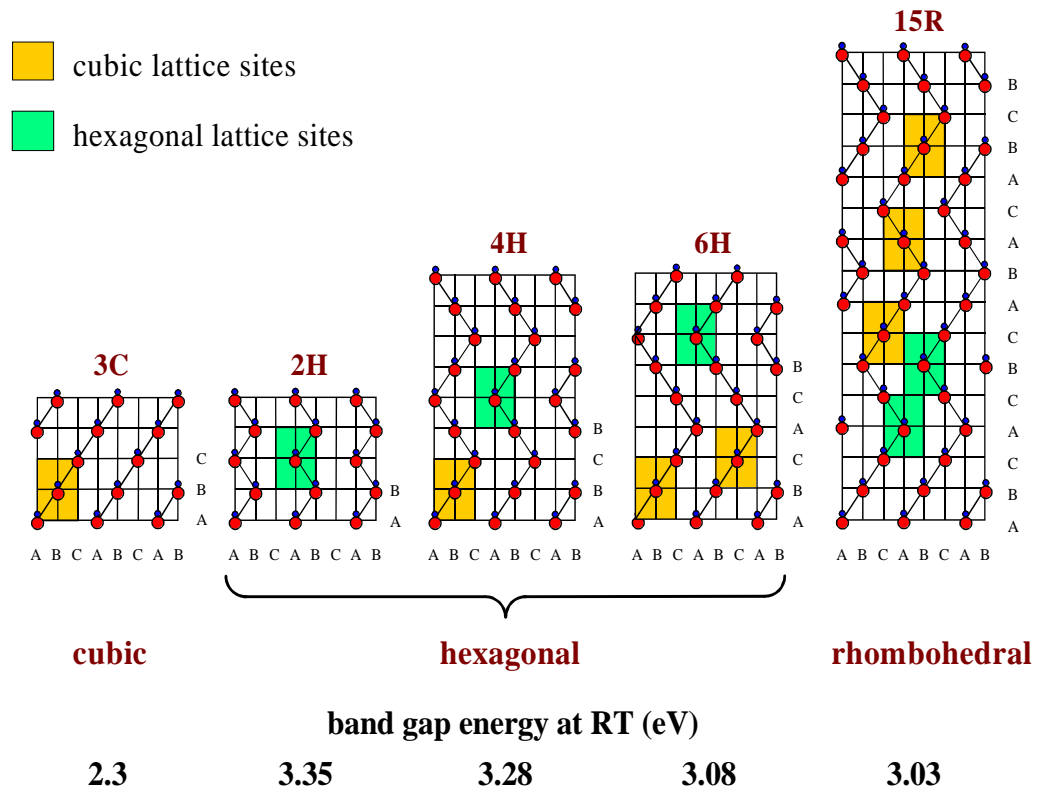


Substrate for GaN LEDs

Silicon carbide as electronic material



SiC polytypes



Silicon carbide for high power electronics

Cree power MOSFET



Blocking Voltage	1700 V
Current Rating At 25°C	72 A
Resistance At 25°C	45 mΩ
Package	TO-247-3
Total Switching Energy Loss	3 mJ
Gate Charge Total	188 nC
Maximum Junction Temperature	150 °C
Lead-frame Materials	100% matte, tin solder finish over a copper lead frame

30 years of research @ LAP:
 Emphasis on point defects



Dr. Michael Krieger

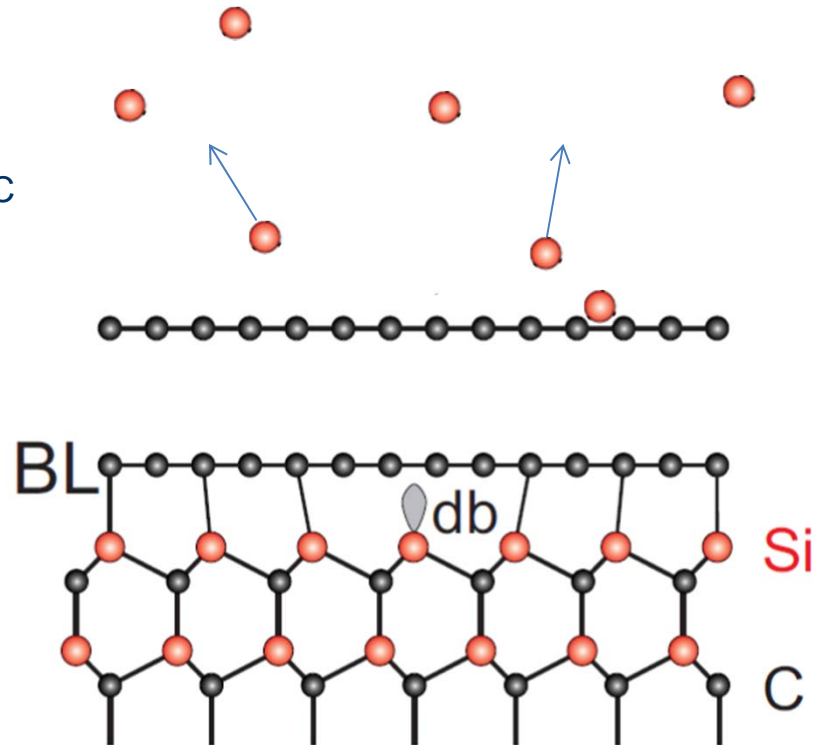
Schottky Diodes

MOSFETs

Infineon power Diodes and MOSFETs

Decomposition of 4H / 6H SiC

At ~ 1700°C
in Argon



→ High quality graphene on semiconductor wafers

Emtsev...H.B.Weber, T. Seyller:

Nature materials **8**, 203 (2009)

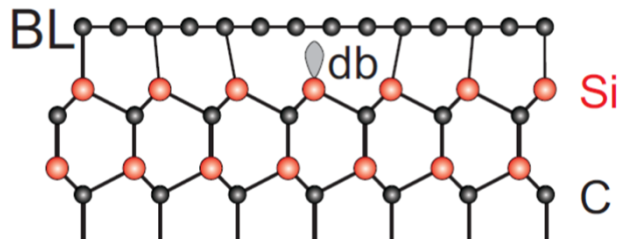
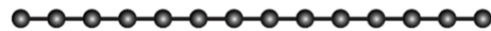
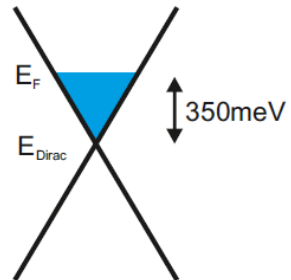


Thomas Seyller

Two materials on 4H/6H-SiC

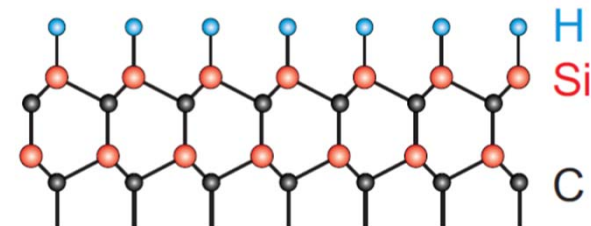
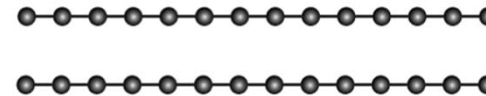
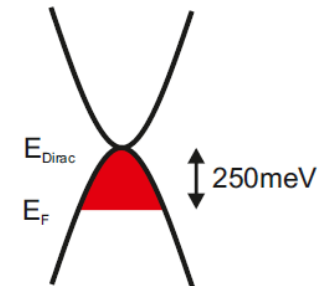


Monolayer graphene
(MLG)



K. Emtsev...H.B.Weber, T. Seyller:
Nature materials **8**, 203 (2009)

Quasi-free standing
bilayer graphene
(QFBLG)



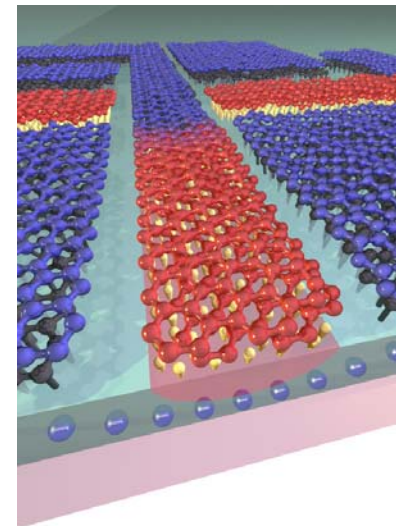
Riedl et al. PRL 103, 246804 (2009);
F. Speck, ...H.B.Weber, T. Seyller,
APL 99, 122106 (2011)

Epitaxial graphene on SiC

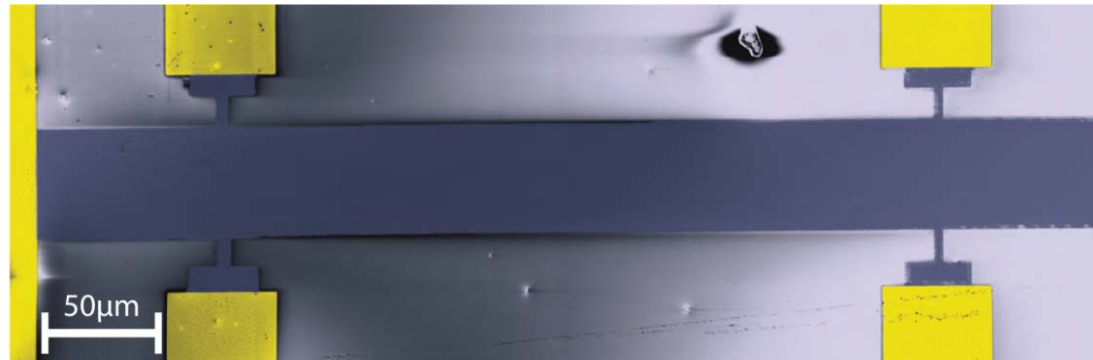
Physics in the graphene plane

The graphene/SiC system: a Schottky junction

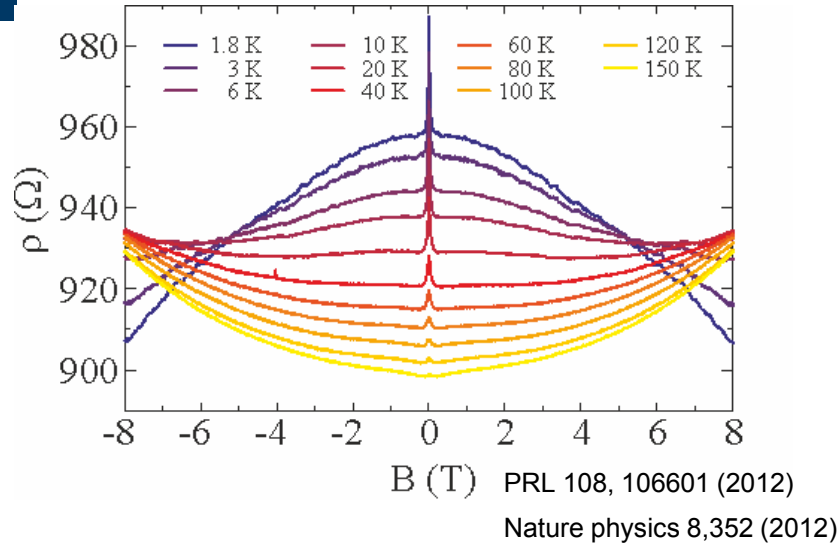
Physics in SiC: Colour centres



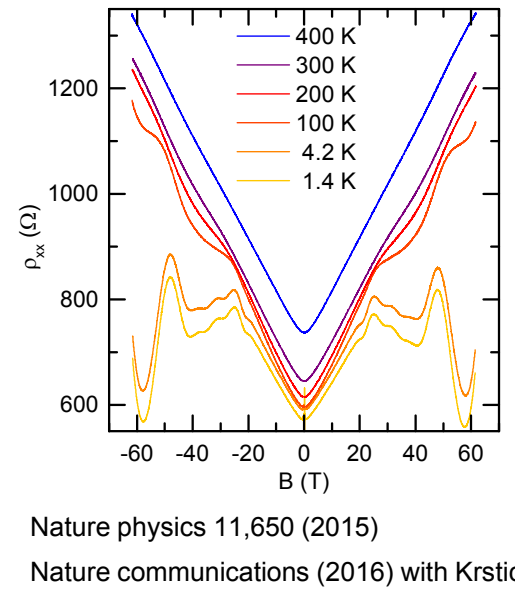
Magnetoresistance of large-area graphene



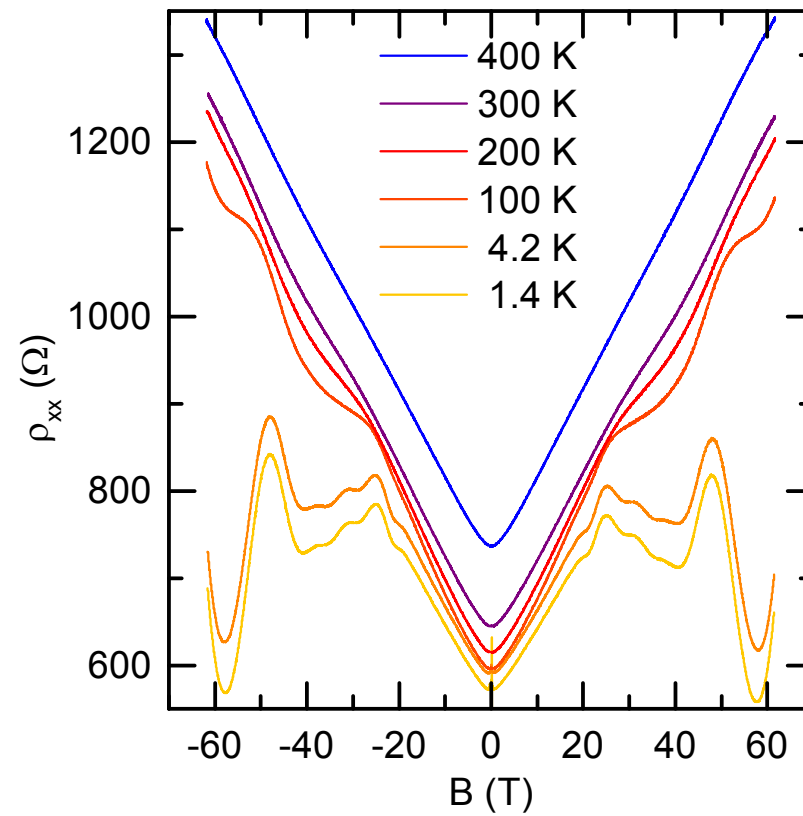
Graphene monolayer



Graphene bilayer



Non-saturating linear magnetoresistance



High magnetic field
Laboratory Rossendorf



Simple questions

Question:

Can we understand linear magnetoresistivity ?

Nonsaturating linear Magnetoresistance

... a long-standing enigma in solid state physics ...

Experimentally observed ever since
in disordered conductors

- Kapitza 1929
- Potassium PRB 4, 1134 (1971)
- 3D Silver chalcogenides
 - Nature 390, 57 (1997)
 - Nature 417, 421 (2002)
 - PRL 88, 066602 (2002)
- 3D Silicon
 - Nature 457, 1112 (2009)
 - Scientific reports (2012)
- graphene-like materials
 - Nano letters 10, 3962 (2010)
 - Europhy. Lett. 94, 57004 (2011)
- Topological insulators
 - APL 102, 012102 (2013)
 - PRL 108, 266806 (2012)

Graphite

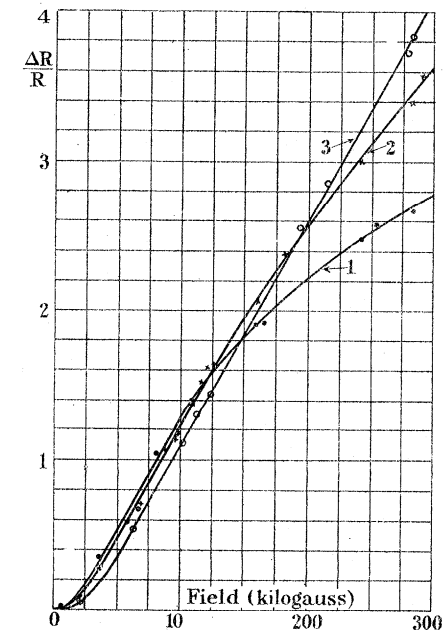
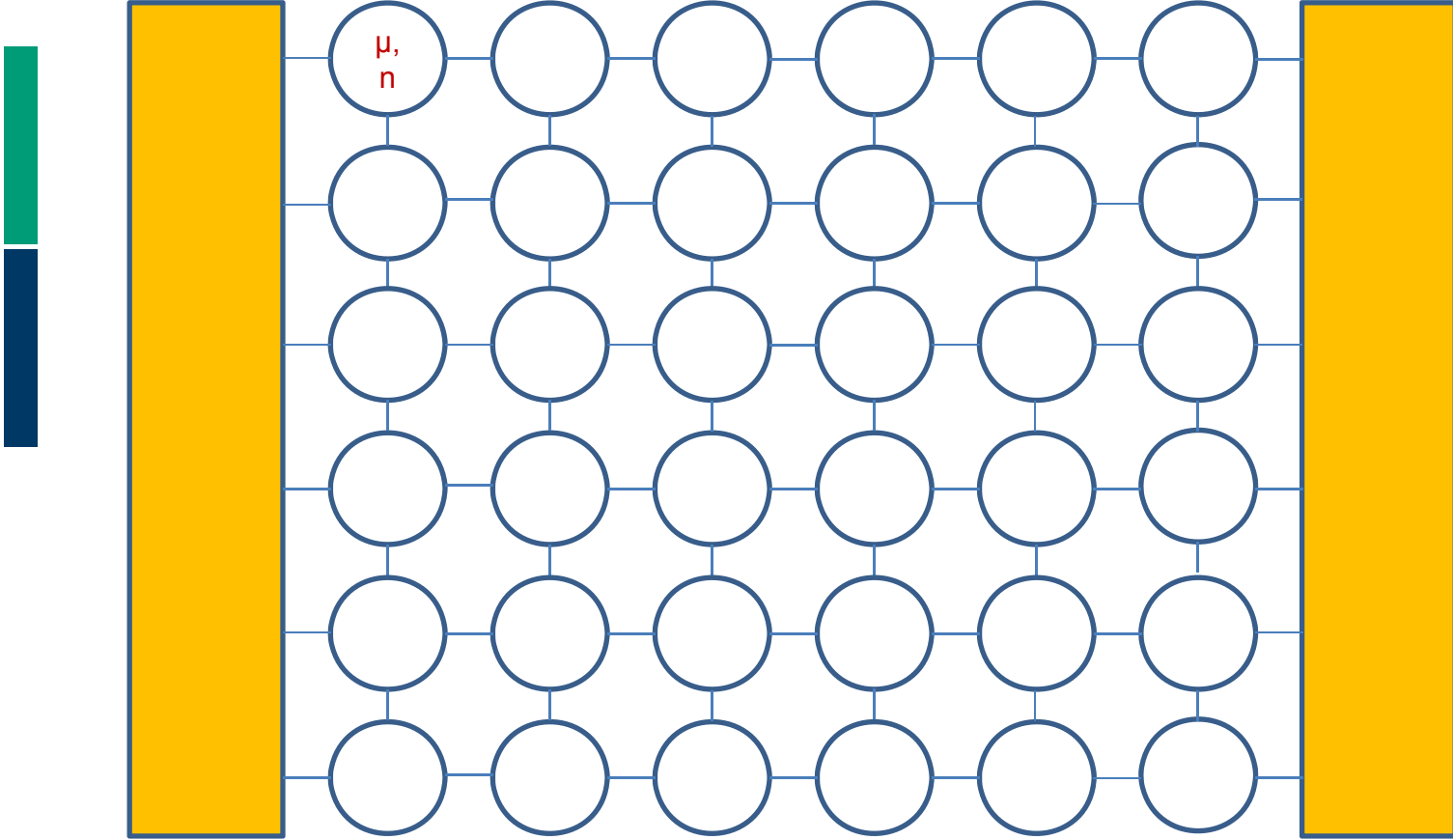


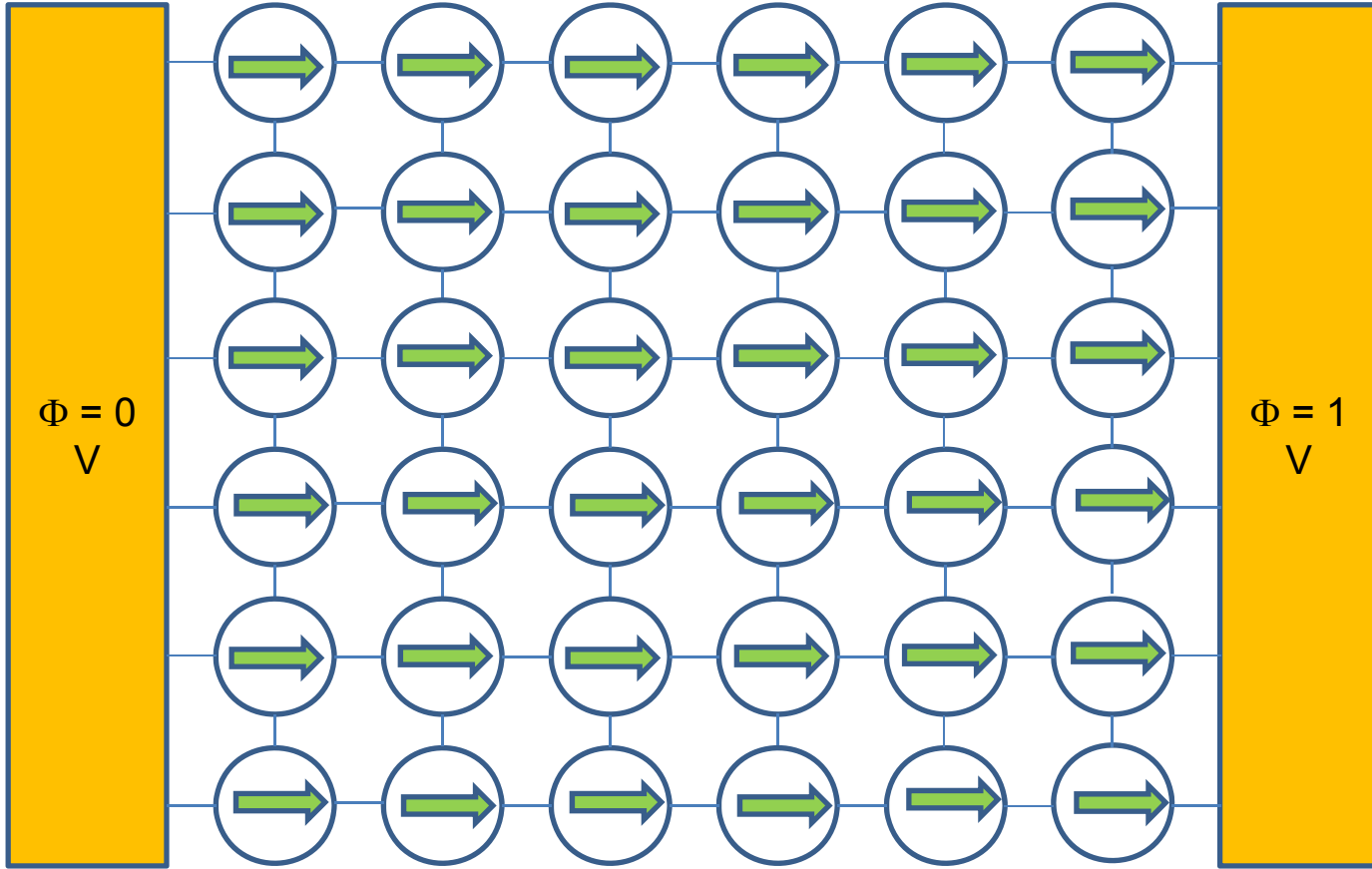
FIG. 17.—Graphite $H \perp I$.

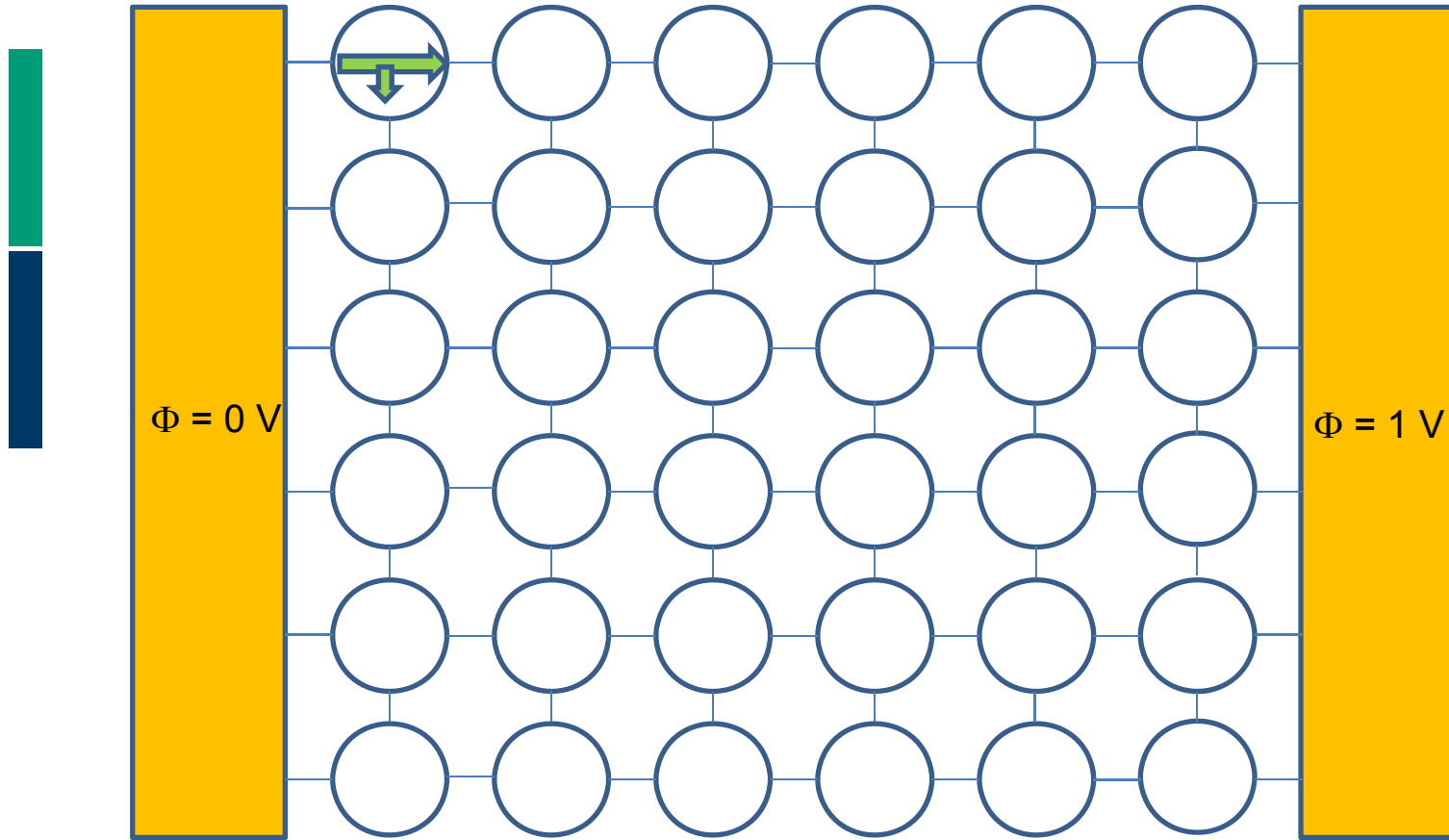
Curve 1—Temperature of Liquid Air.
Curve 2—Temperature of Solid CO_2 and
Ether.
Curve 3—Room Temperature.

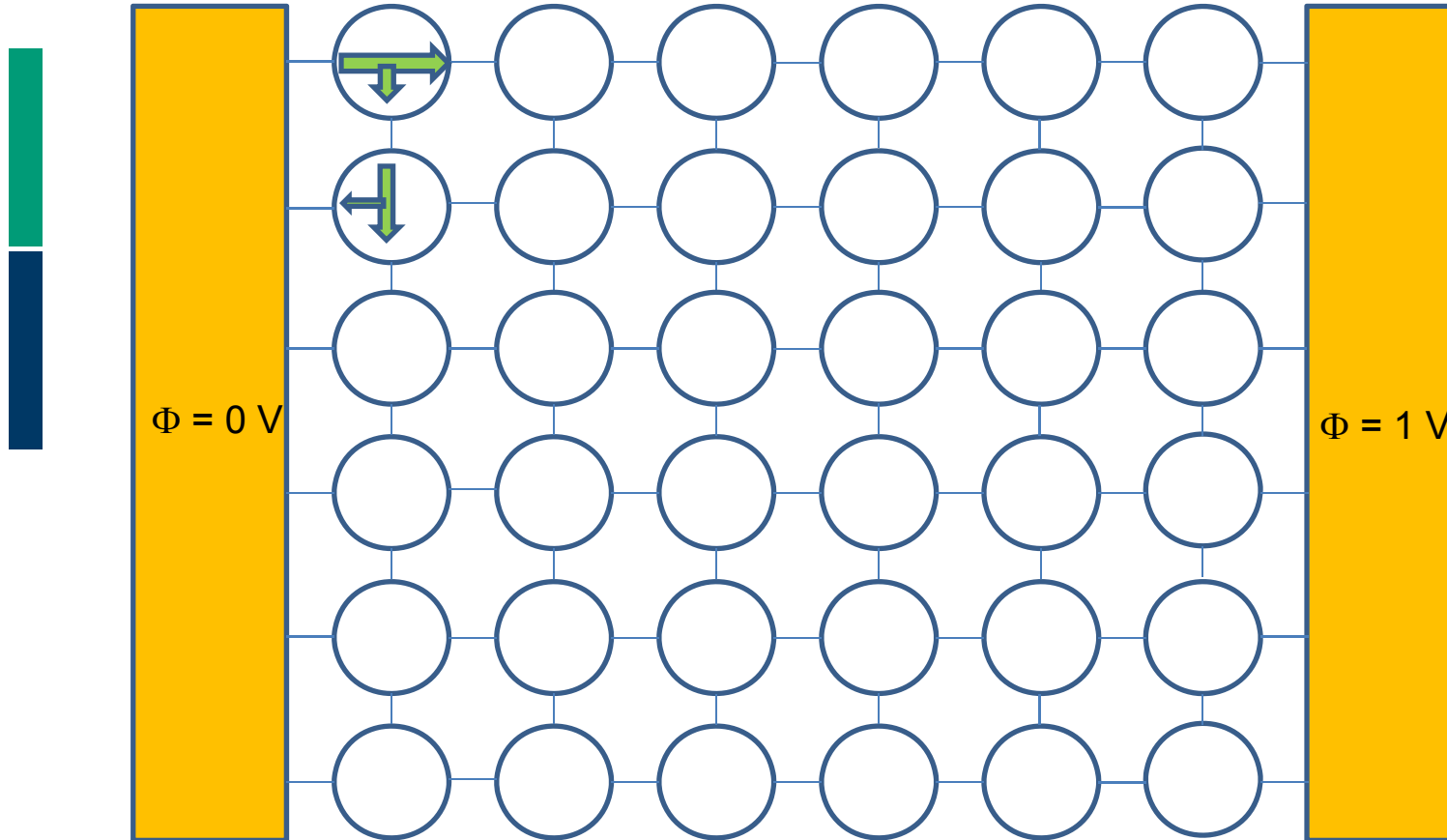
Kapitza 1929

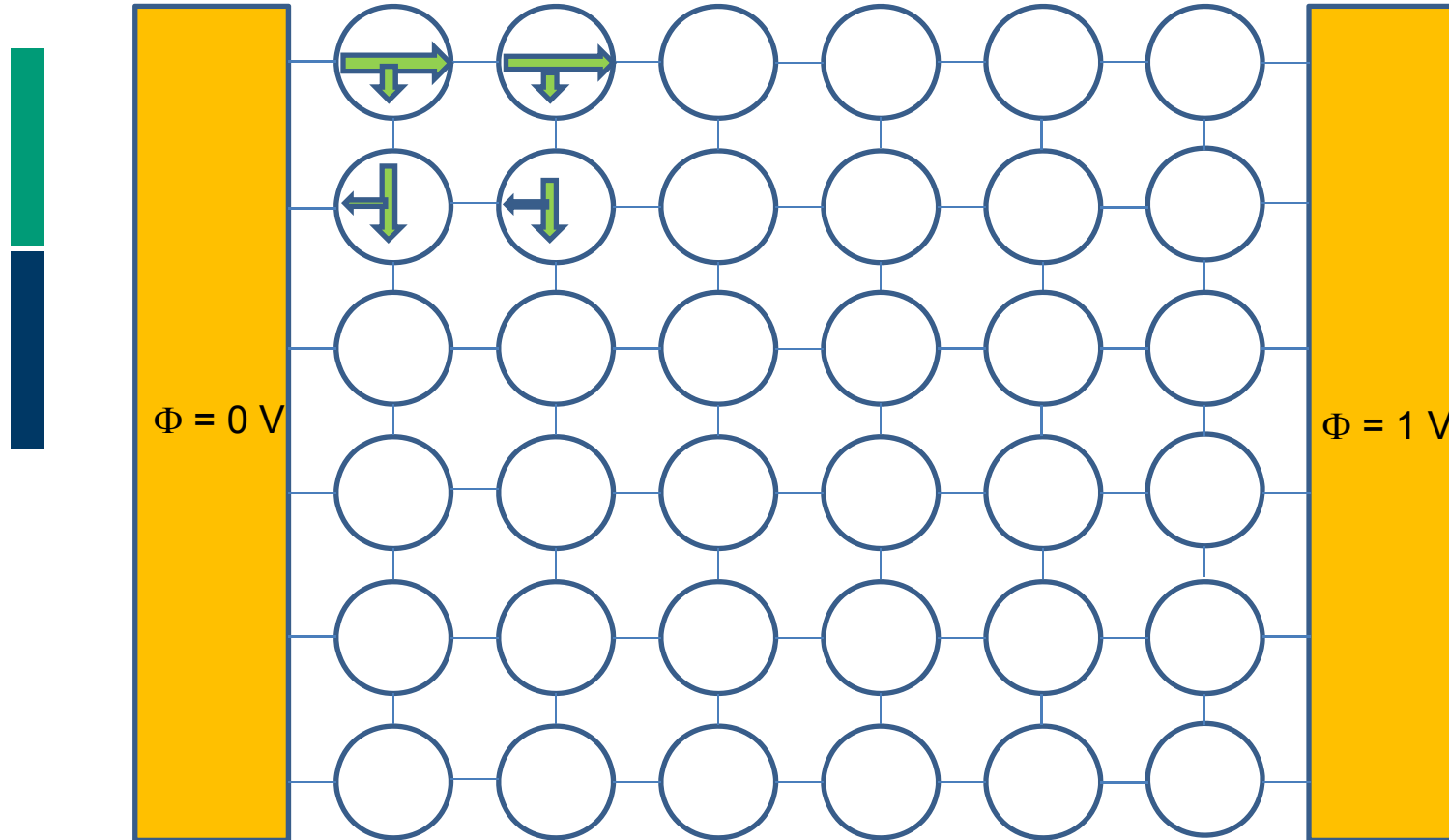
Linear magnetoresistance in segmented samples

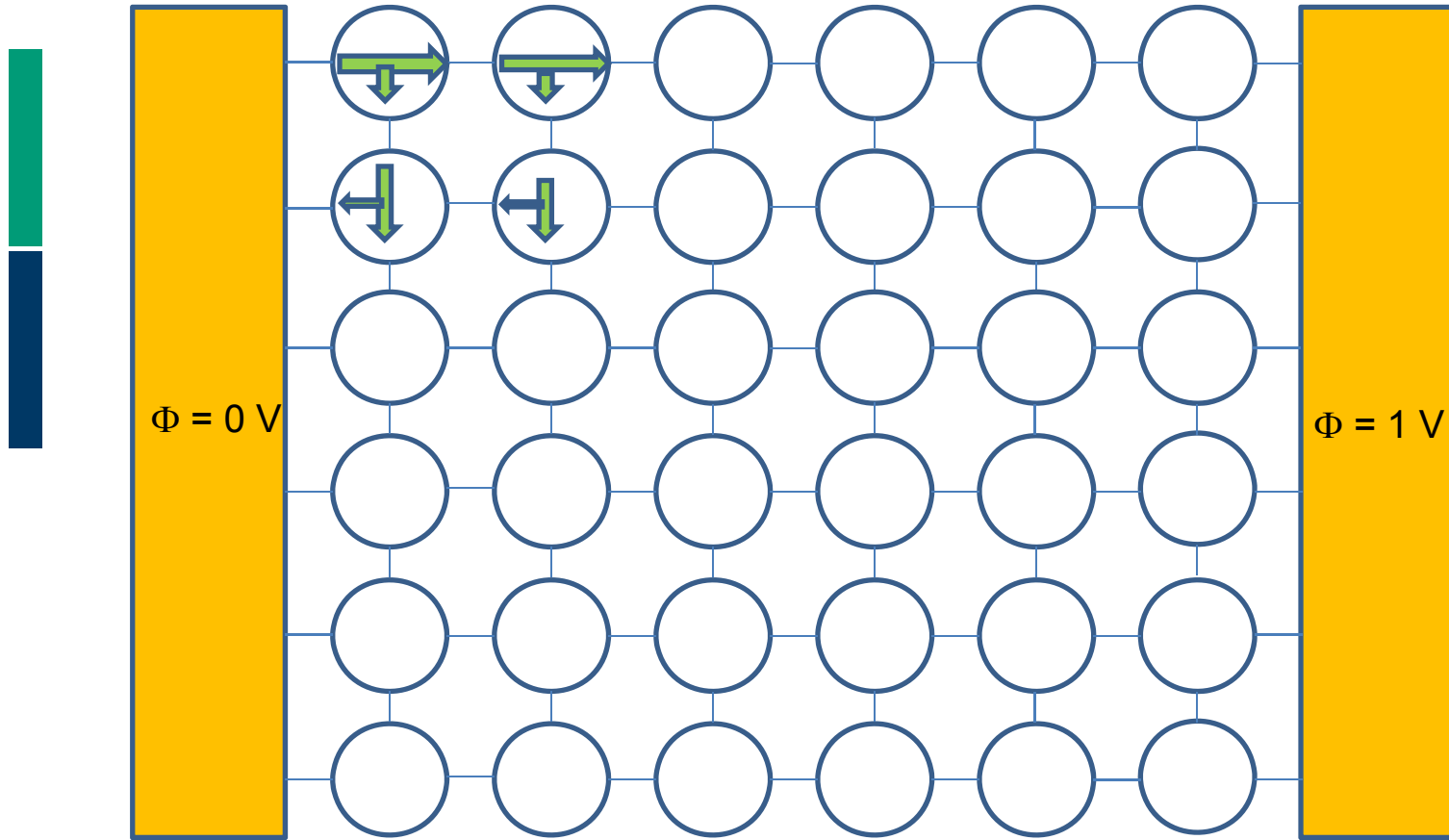






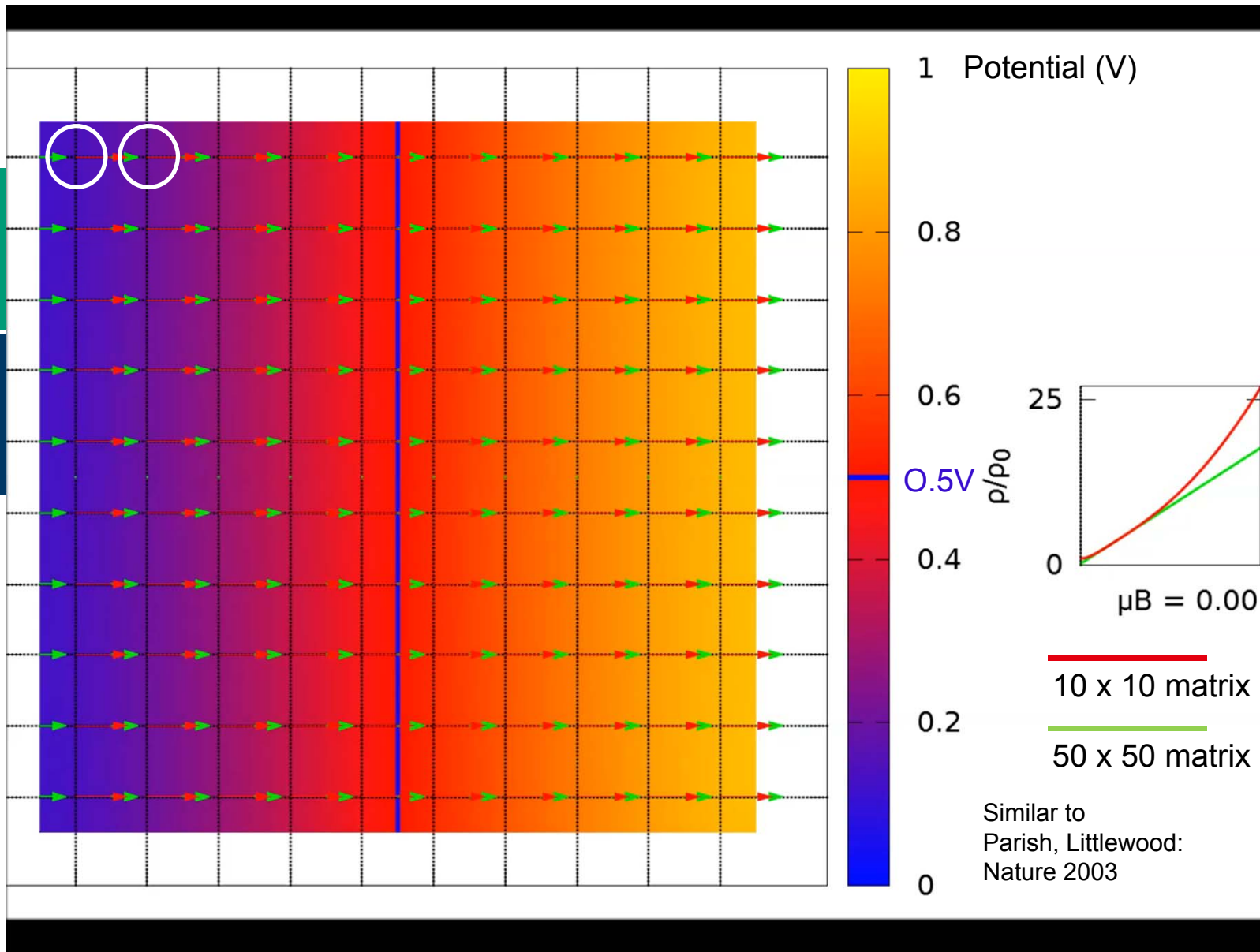




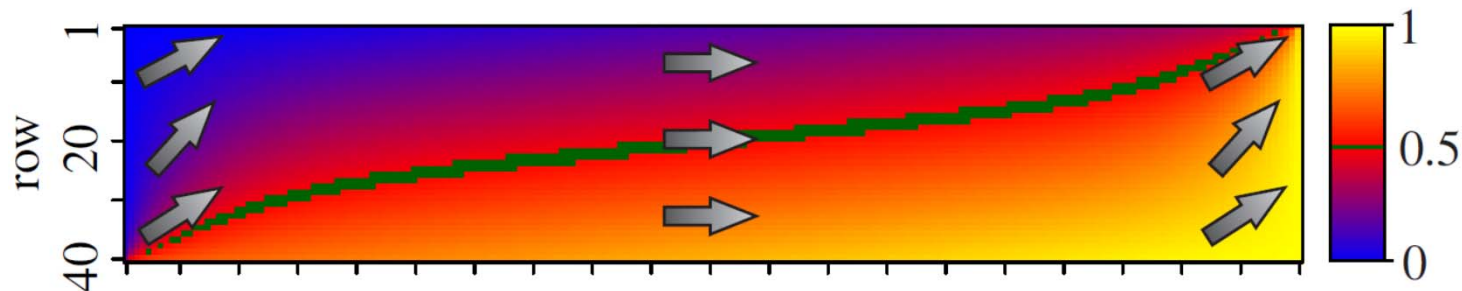


Take care for

- Kirchhoff rules (1845)
- Maxwell's equations(1864)
- Hall effect (1879)



Linear MR: a classical phenomenon



- A property of the classical resistivity tensor:
- Scaling (for $\frac{B}{ne} \gg \rho_0$)

$$\begin{pmatrix} E_x \\ E_y \end{pmatrix} = \begin{pmatrix} \rho_0 & B/ne \\ -B/ne & \rho_0 \end{pmatrix} \cdot \begin{pmatrix} j_x \\ j_y \end{pmatrix} \quad \text{simplifies to} \quad \begin{aligned} E_x &= B/ne \cdot j_y \\ E_y &= -B/ne \cdot j_x \end{aligned}$$

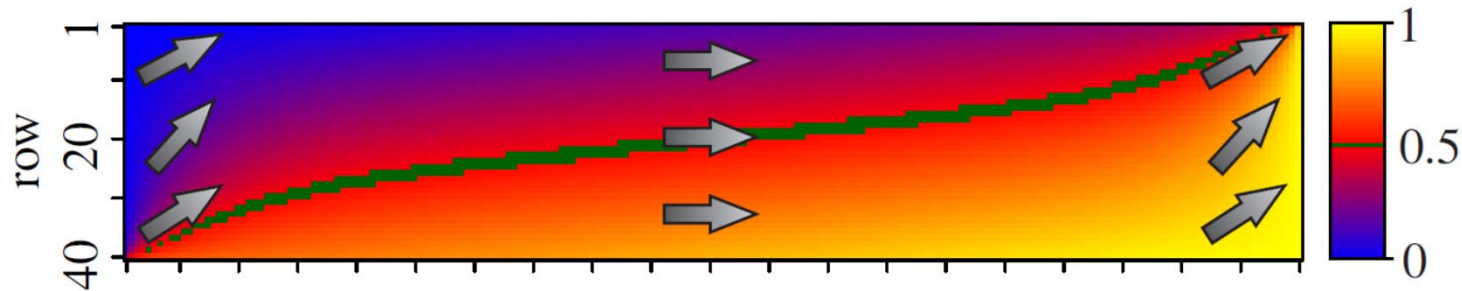
→ When E -fields are (asymptotically) constant,

$$j * B = \text{constant} \rightarrow \rho(B) = \frac{E}{j} \propto B$$

The linear-in-B behavior is built in, however its prefactor is most often zero.

Further Requirement: Inhomogeneity of off-diagonal term

Linear MR: a classical phenomenon



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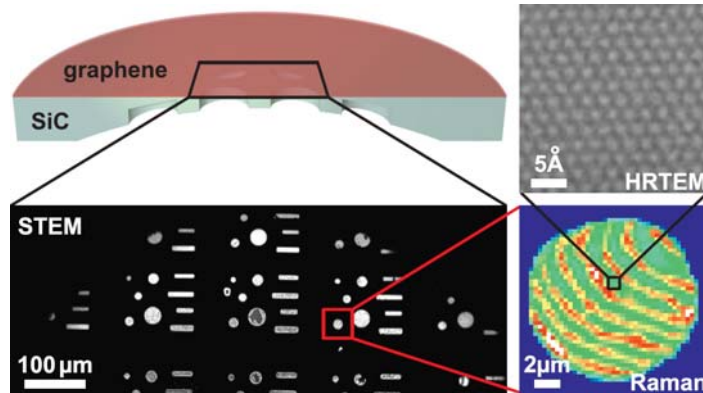
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Further Requirement: Inhomogeneity of off-diagonal term

Mosaic-like conductors

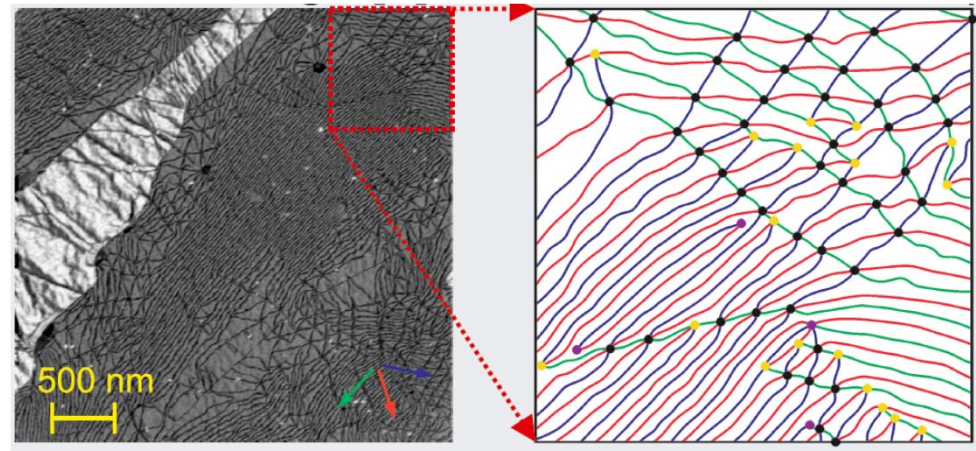


Robust membranes of bilayer graphene

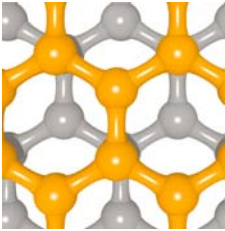
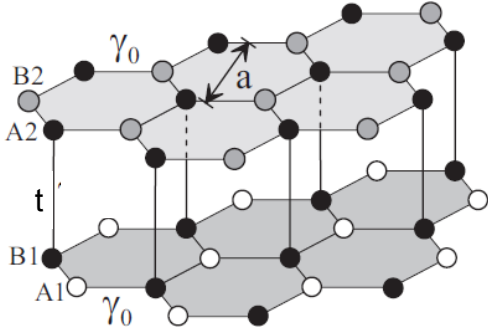
D. Waldmann,..... A. Hirsch, S. Maier, P. Schmuki, T. Seyller, E. Spiecker, H.B. Weber:
ACS nano 7, 4441 (2013)

Dislocation networks in bilayer graphene

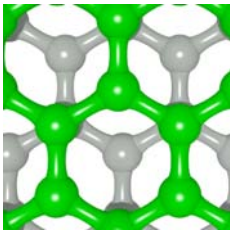
B. Butz,...H.B. Weber, B. Meyer and E. Spiecker
Nature 505, 513 (2014)



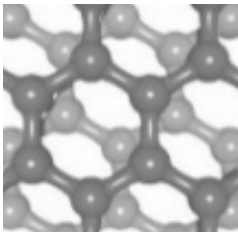
Bilayer graphene



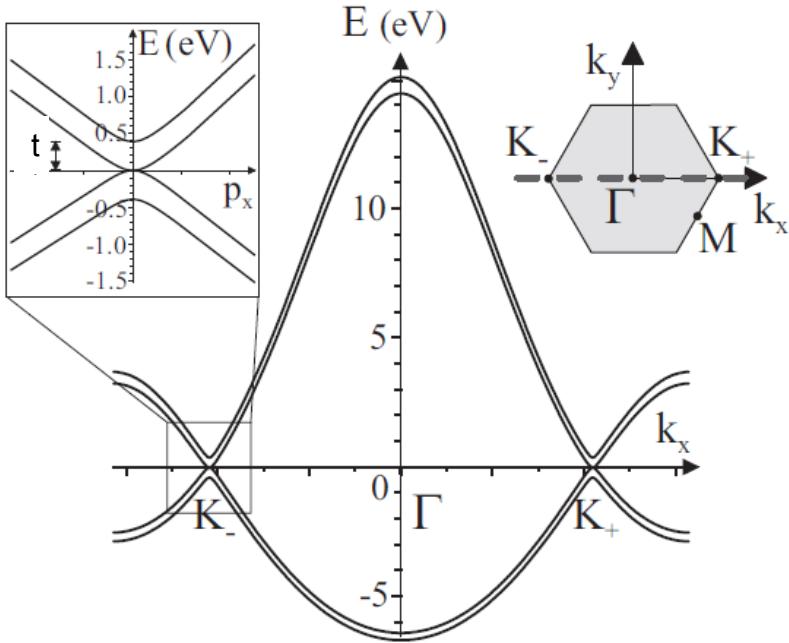
AB



AC



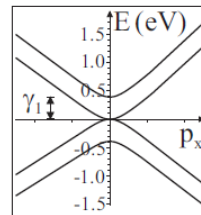
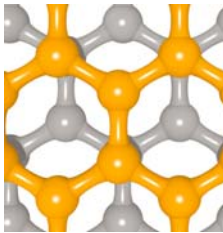
(in between)



Partial dislocations: what is their impact on the electronic system?

Bernal stacking

AB stacking

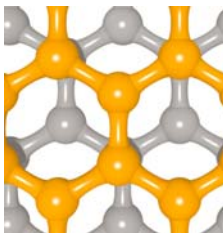


H_{AB}

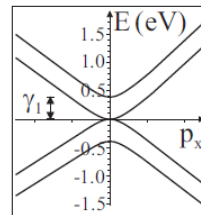
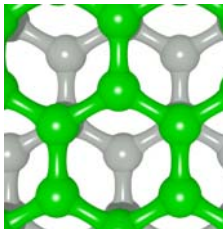
$$\begin{pmatrix} 0 & \hbar v_F k e^{-i\theta_k} & t_{\perp} & 0 \\ \hbar v_F k e^{i\theta_k} & 0 & 0 & 0 \\ t_{\perp} & 0 & 0 & \hbar v_F k e^{i\theta_k} \\ 0 & 0 & \hbar v_F k e^{-i\theta_k} & 0 \end{pmatrix}$$

Bernal stacking

AB stacking



AC stacking



H_{AB}

$$\begin{pmatrix} 0 & \hbar v_F k e^{-i\theta_k} & t_{\perp} & 0 \\ \hbar v_F k e^{i\theta_k} & 0 & 0 & 0 \\ t_{\perp} & 0 & 0 & \hbar v_F k e^{i\theta_k} \\ 0 & 0 & \hbar v_F k e^{-i\theta_k} & 0 \end{pmatrix} \begin{pmatrix} E \\ \hbar v_F k e^{i\theta_k} \\ \sigma_1 E \\ \sigma_1 \hbar v_F k e^{-i\theta_k} \end{pmatrix} = E \begin{pmatrix} E \\ \hbar v_F k e^{i\theta_k} \\ \sigma_1 E \\ \sigma_1 \hbar v_F k e^{-i\theta_k} \end{pmatrix}$$

H_{AC}

$$= \begin{pmatrix} 0 & \hbar v_F k e^{-i\theta_k} & 0 & 0 \\ \hbar v_F k e^{i\theta_k} & 0 & 0 & t_{\perp} \\ 0 & 0 & 0 & \hbar v_F k e^{i\theta_k} \\ 0 & t_{\perp} & \hbar v_F k e^{-i\theta_k} & 0 \end{pmatrix} \begin{pmatrix} \hbar v_F k e^{-i\theta_k} \\ E \\ \sigma_1 \hbar v_F k e^{+i\theta_k} \\ \sigma_1 E \end{pmatrix} = E \begin{pmatrix} \hbar v_F k e^{-i\theta_k} \\ E \\ \sigma_1 \hbar v_F k e^{+i\theta_k} \\ \sigma_1 E \end{pmatrix}$$

Eigenvalues (energies) are identical, but eigenfunctions are not!

At $E = 0$, they are even orthogonal!

Electrons can not cross the partial dislocation

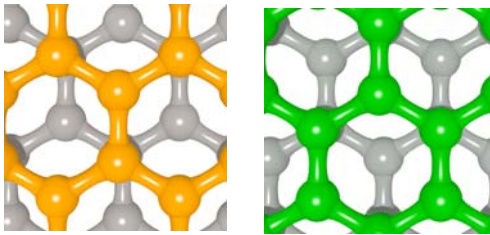
Bilayer graphene as mosaic-like conductor

This leads to a distorted quantum mechanical wave pattern:

Mosaic-like conductor

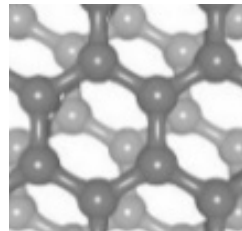
Current pathways distorted:

Linear Magnetoresistance

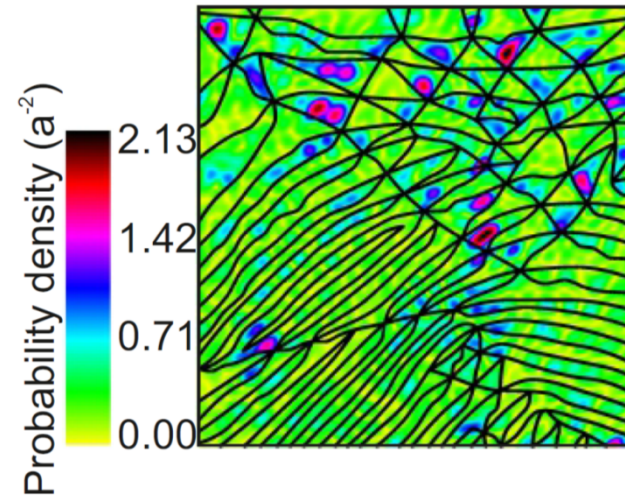


AB

AC



partial dislocation




S. Shallcross, S. Sharma and H.B. Weber,
Nature communications 8, 342 (2017)

F. Kisslinger, ...E. Spiecker, S. Shallcross, H.B. Weber,
Nature physics 11, 650 (2015)

F. Kisslinger, .. H.B. Weber, Annalen der Physik (2017)

Simple questions

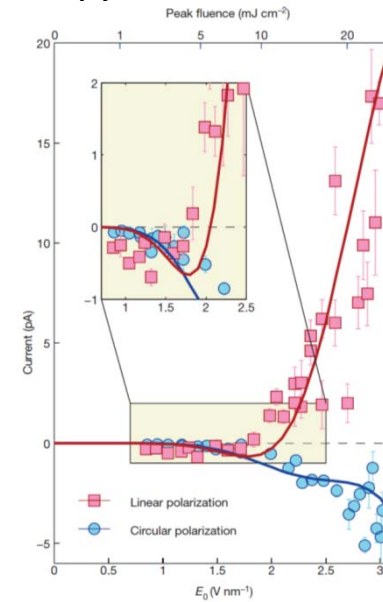
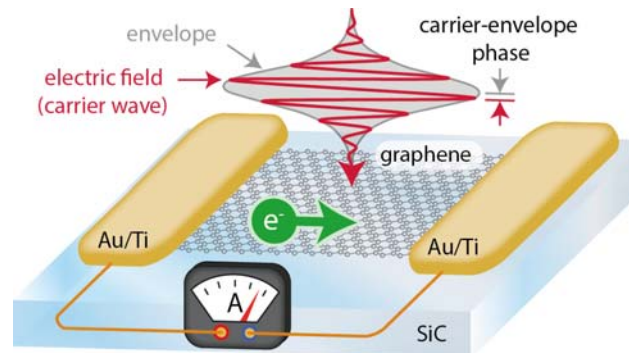
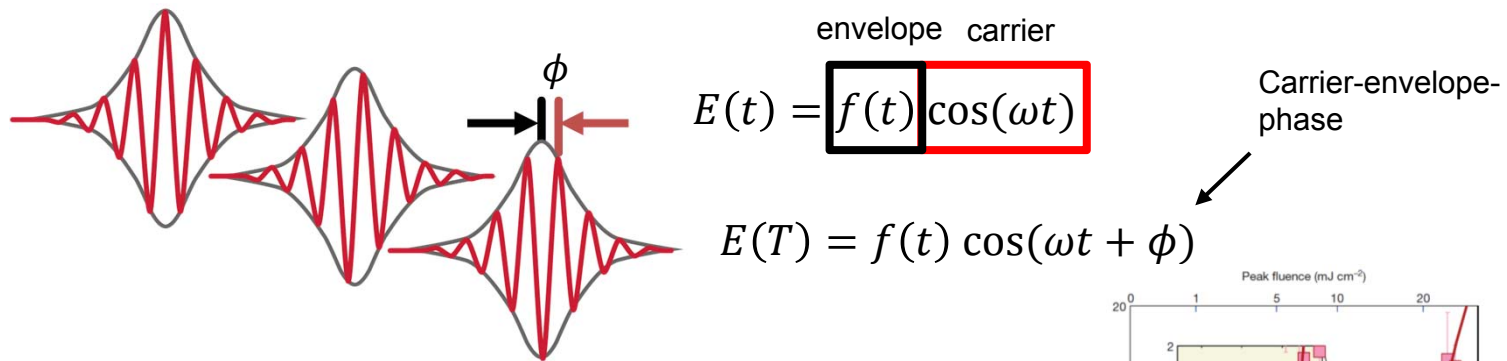


Question:
Can we drive a current in a metal with light
fields?

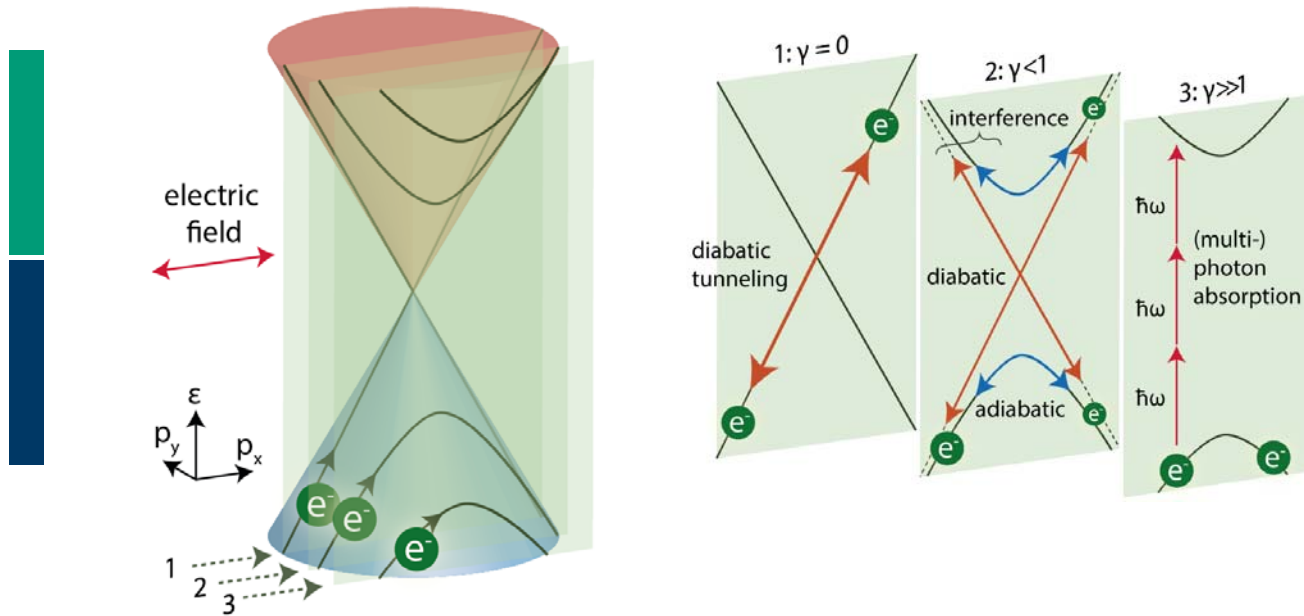
Light fields penetrating graphene

Peter Hommelhoff (FAU): waveform control via carrier envelope phase

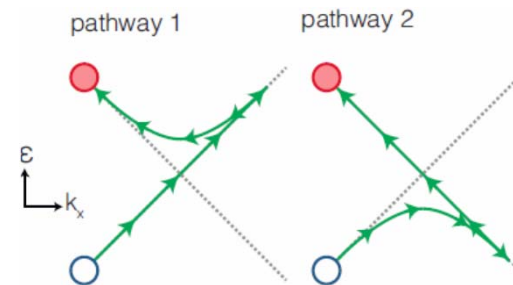
Electric field of ultrashort light pulses:



Light fields penetrating graphene

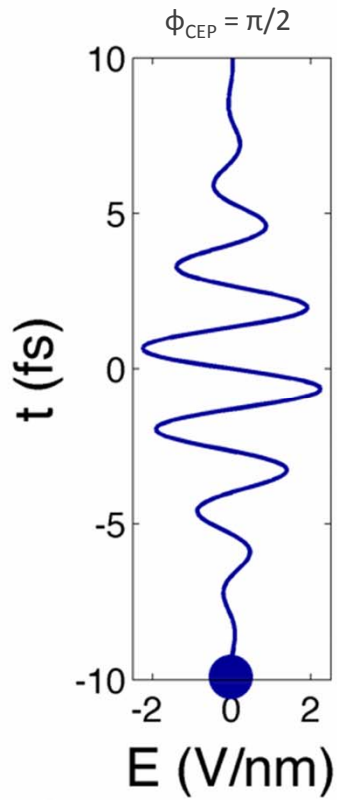


Landau-Zener-Stückelberg processes:

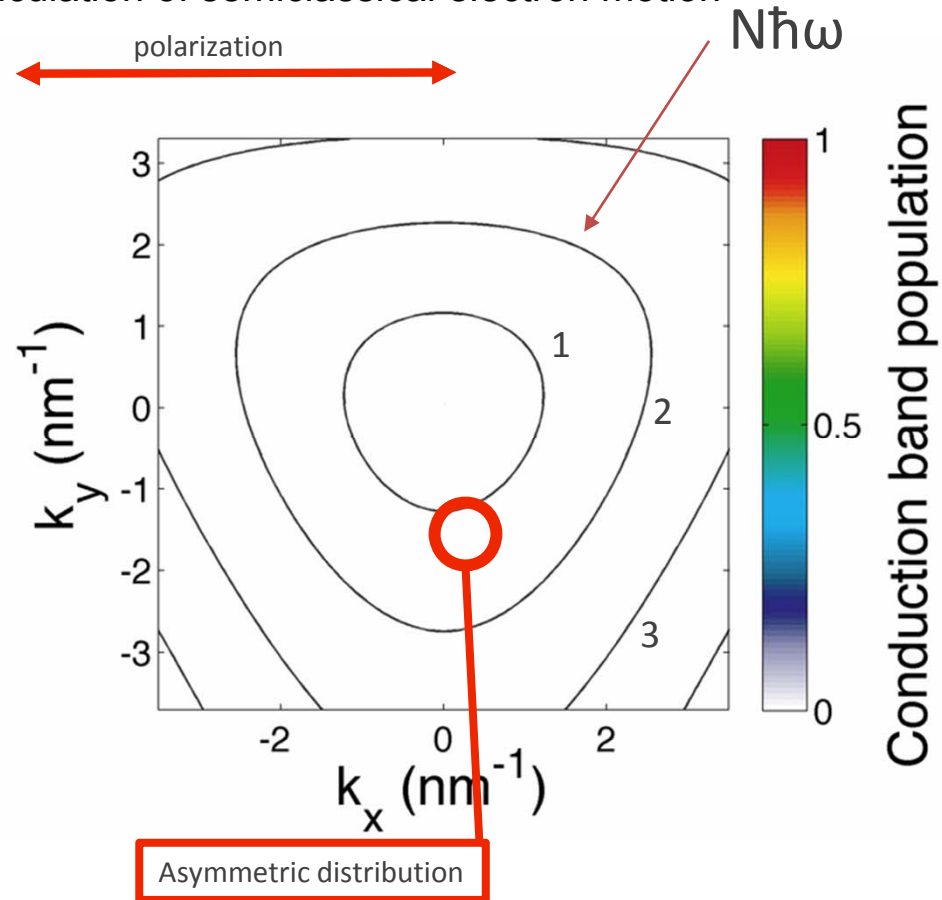


Light fields penetrating graphene

Tight binding calculation of semiclassical electron motion

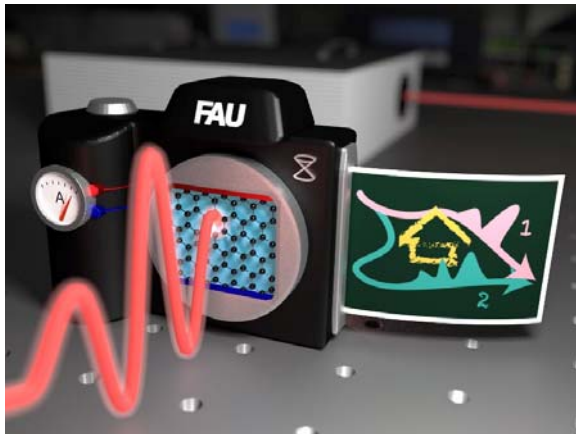


$E_{\text{amp}} = 2.3 \text{ V/nm}$



Light fields penetrating graphene


Press release:
The fastest light-driven current source



T. Higuchi, C. Heide, K. Ullmann, H. B. Weber, P. Hommelhoff
Nature 550, 224 (2017)

C. Heide, T. Higuchi, H.B. Weber, P. Hommelhoff
Phys. Rev. Lett. 121, 207401 (2018)

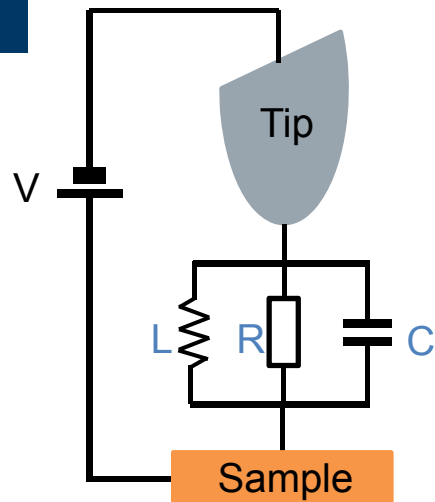
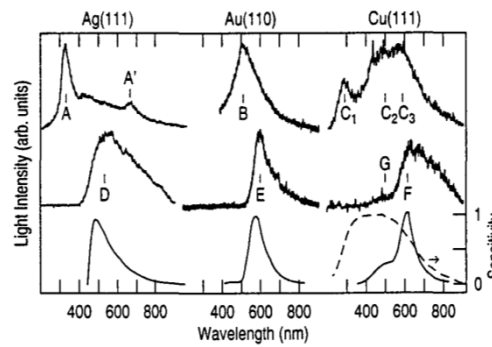
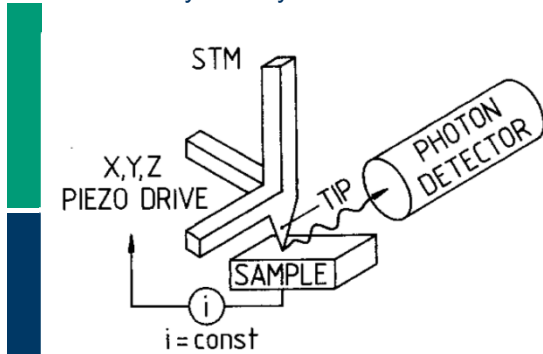
Simple questions



Question:
Why is light emitted when electrons
tunnel from a metal to a metal?

Light emission from tunneling

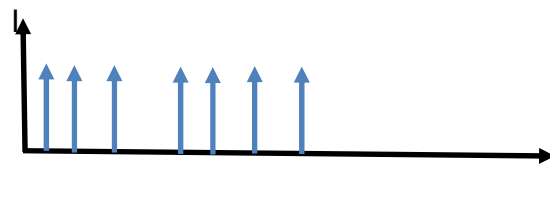
Very old days of STM: Gimzewski 1988



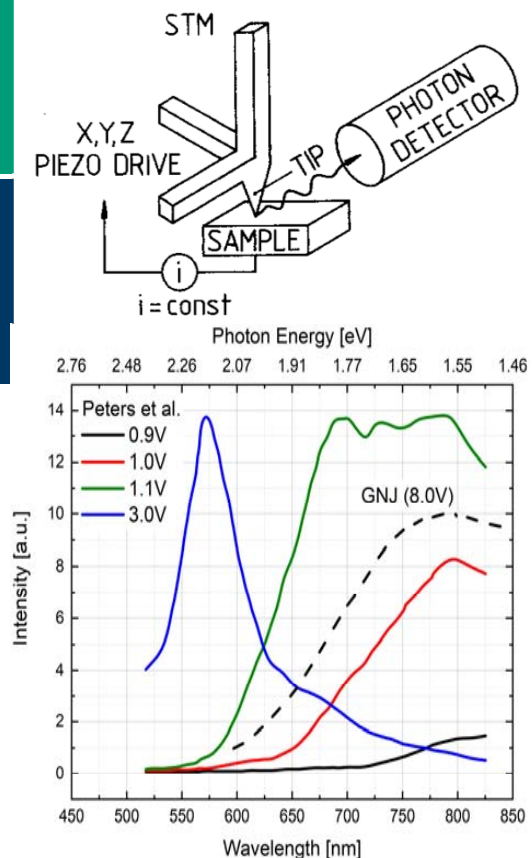
Common understanding:

The granular nature of current excites electromagnetic resonances (plasmons), which decay as photons

Electromagnetic generation of light!

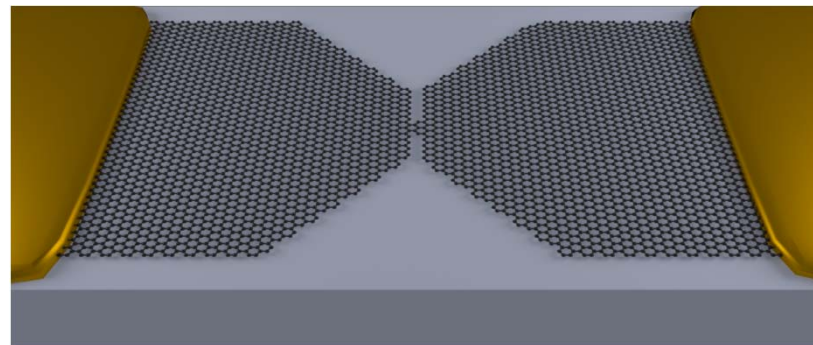


Light emission from tunneling



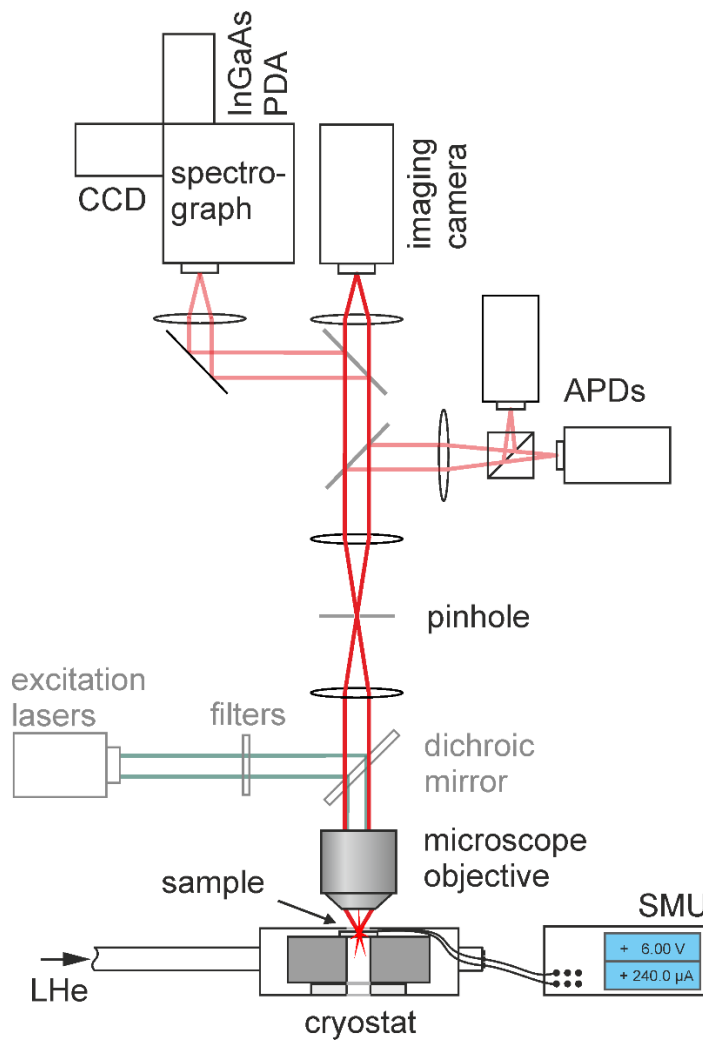
STM at Ag surface, Peters et al., PRL (2017)

New experiment: Graphene nanojunctions (GNJ)



- Flat geometry
- Transparent, spectrally flat
- Extremely stable
- No plasmonic contributions (in the visible)

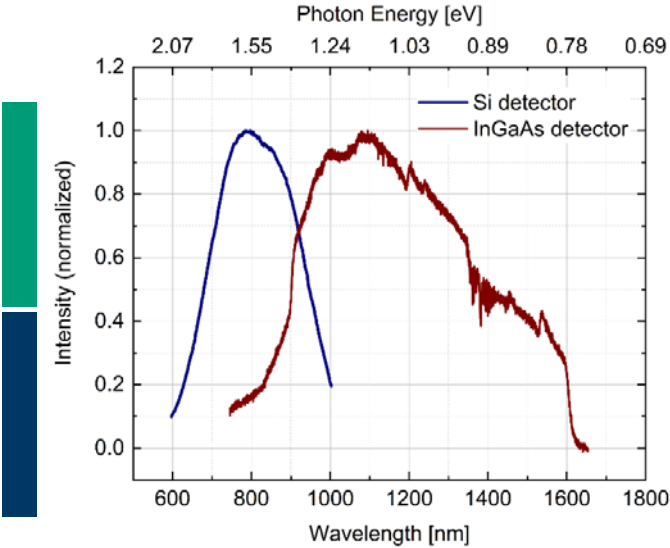
Confocal microscope



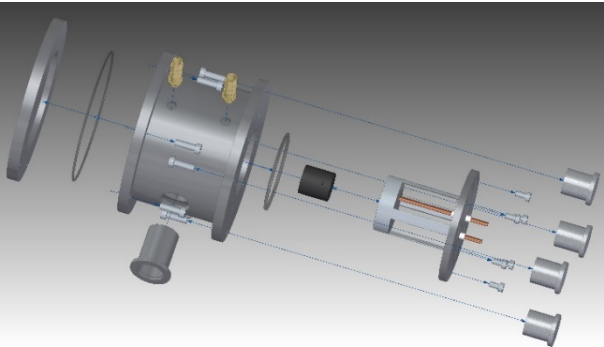
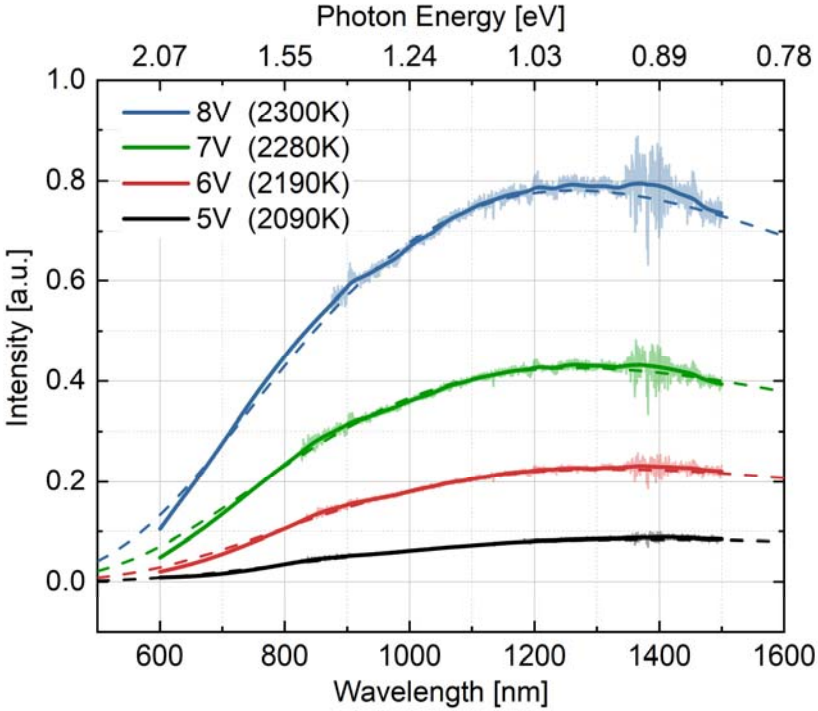
- Custom confocal fluorescence microscope setup
 - Imaging
 - Spectroscopy
 - Photon statistics
- Spectral range (spectroscopy): 400 nm – 1600 nm
- Temperature range: 3.5 K – 300 K
- Optical excitation
- Electrical excitation

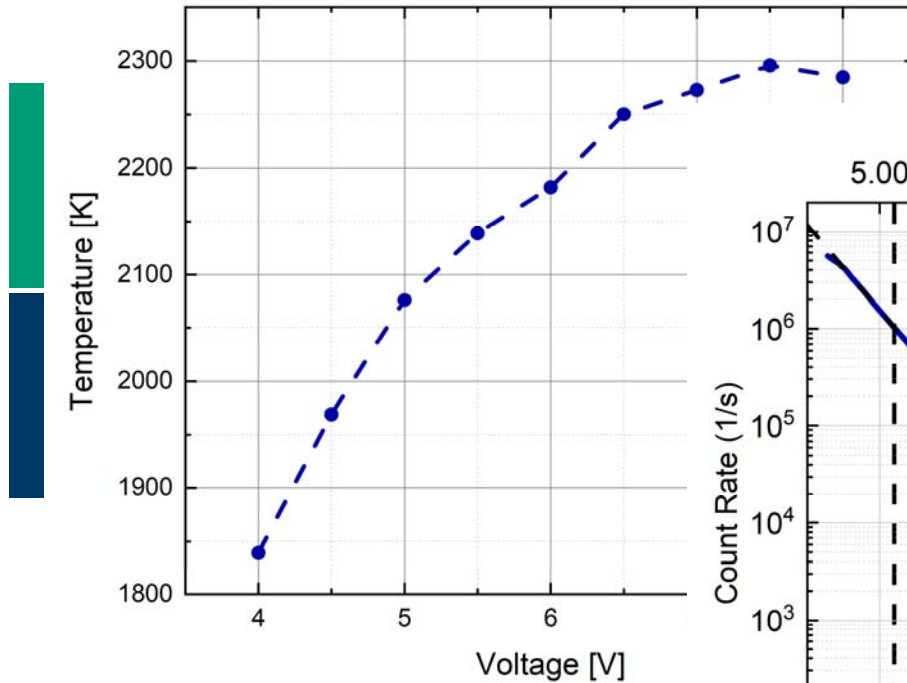
Special thanks to
Prof. Stephan Götzinger (FAU)

Blackbody Spectra

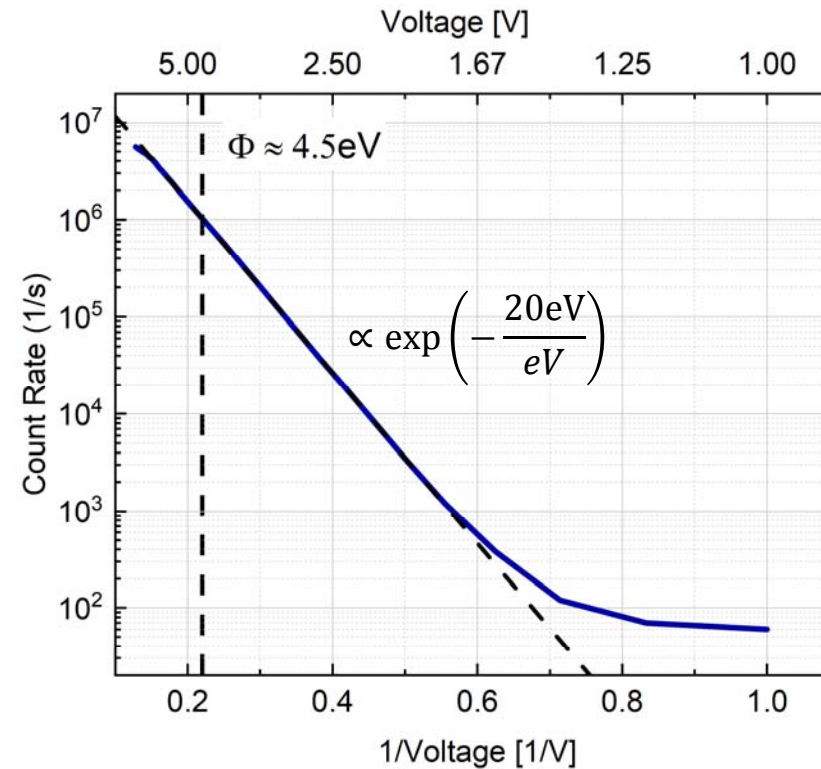


Calibration



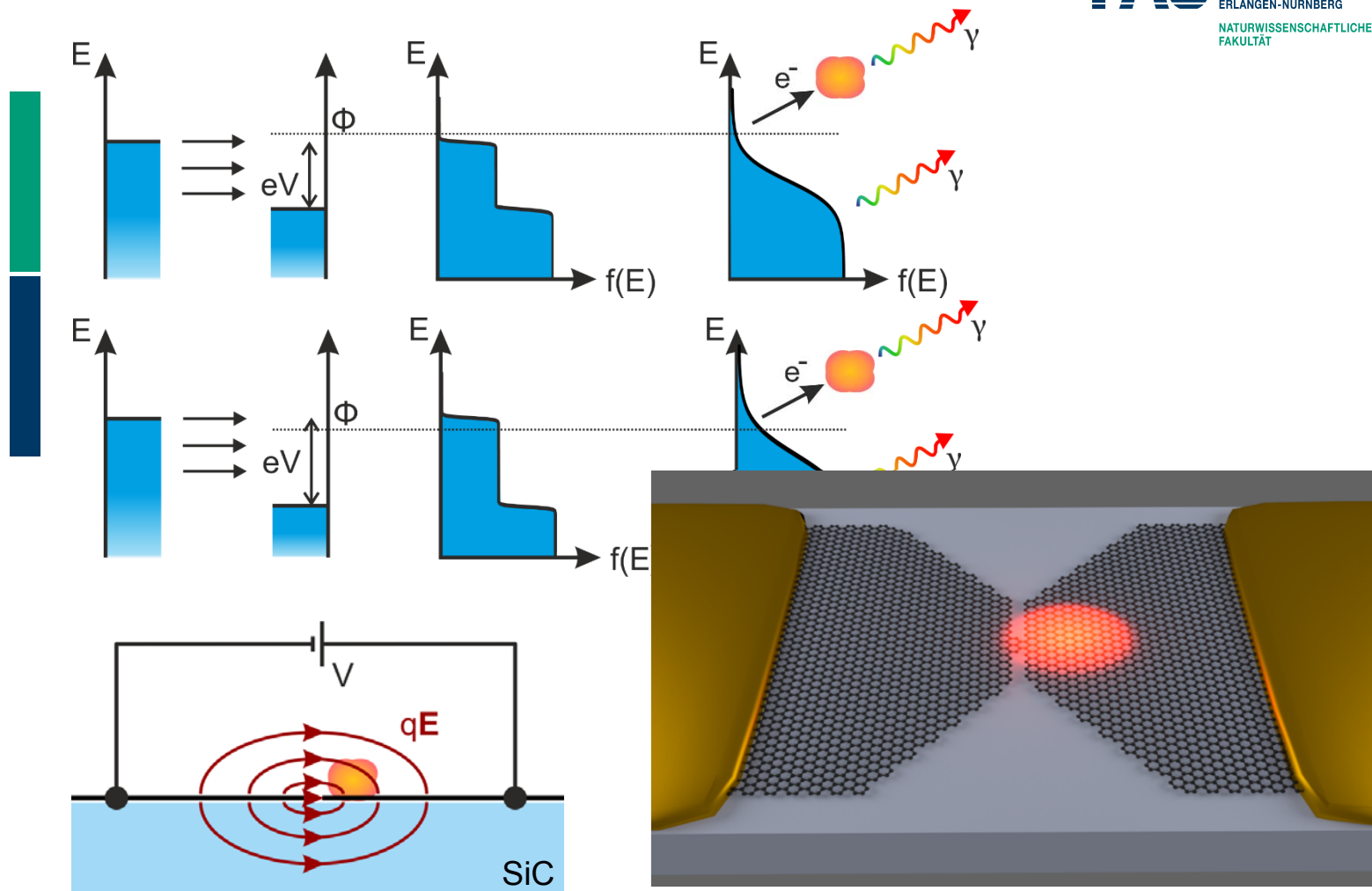


Apparent temperatures way above damage threshold of the materials!

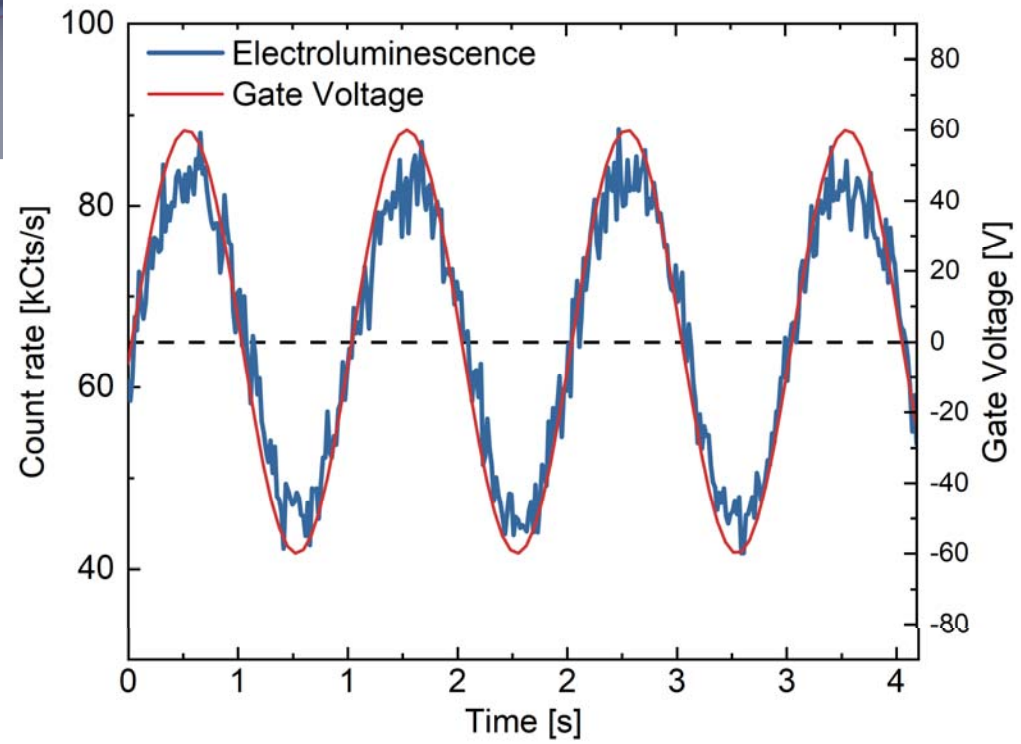
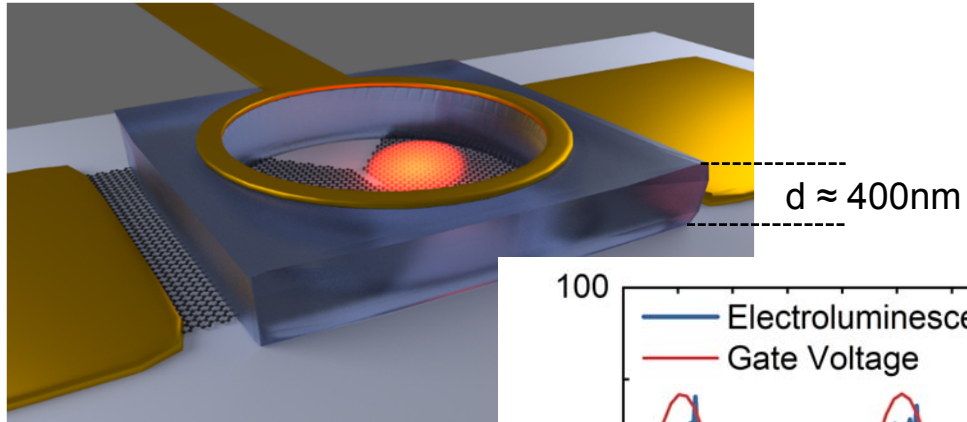


Exponential law over 4 decades
 Insensitive to work function Φ

Thermionic electron emission



Electron cloud

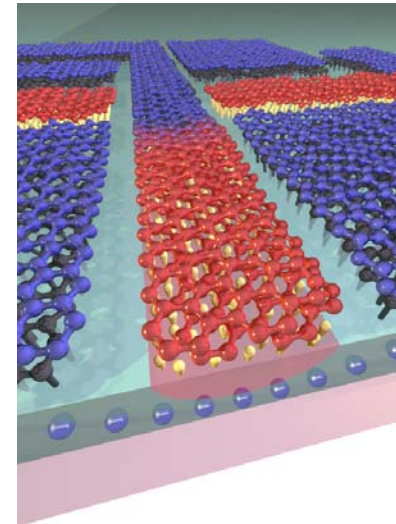


Epitaxial graphene on SiC

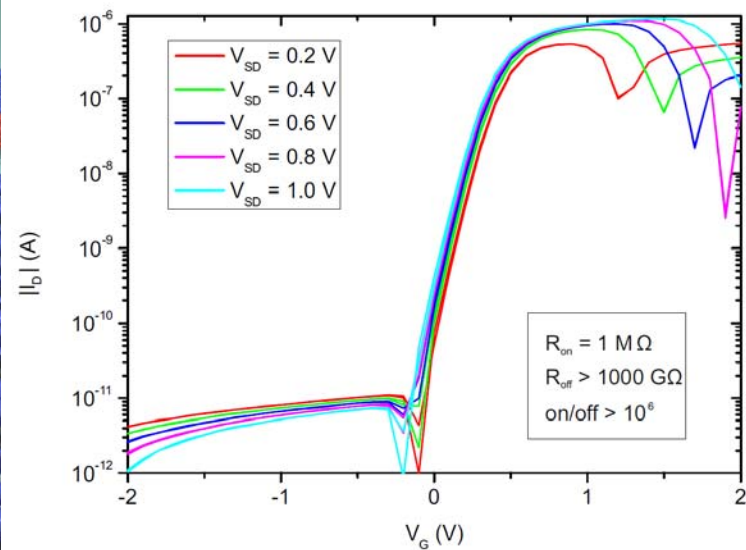
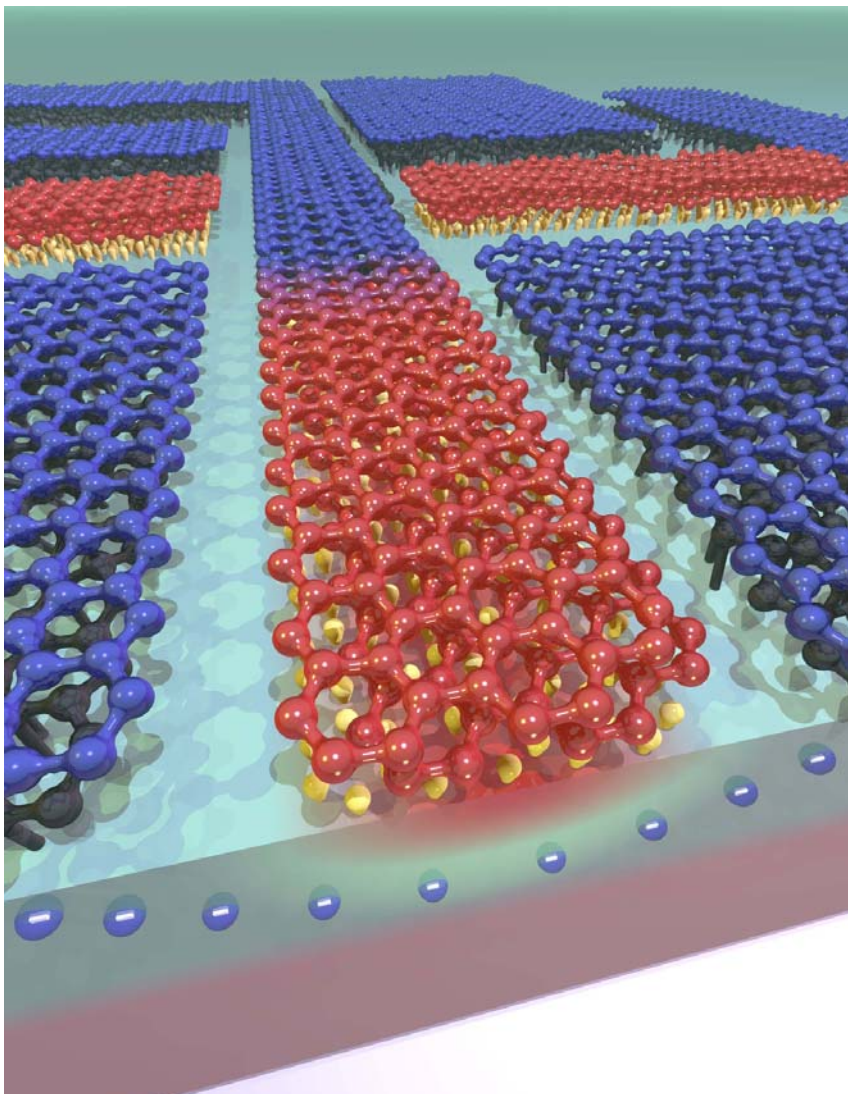
Physics in the graphene plane

The graphene/SiC system: a Schottky junction

Physics in SiC: Colour centres




Monolithic electronics



Graphene as metal,
SiC as semiconductor

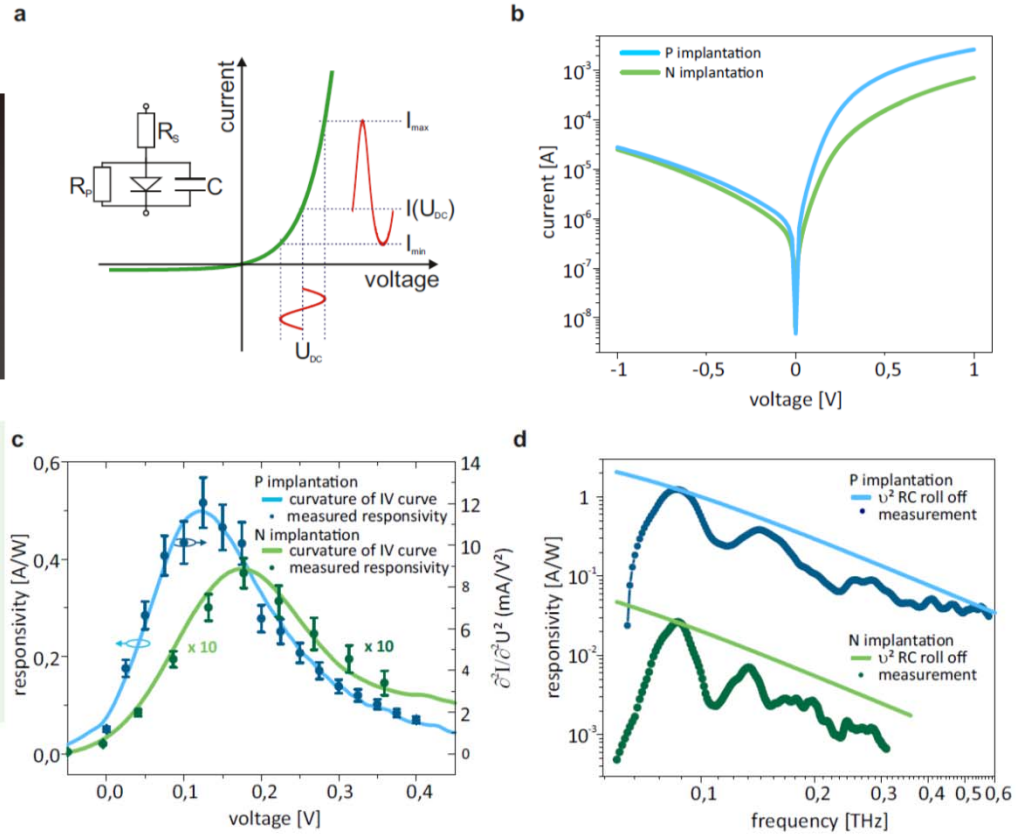
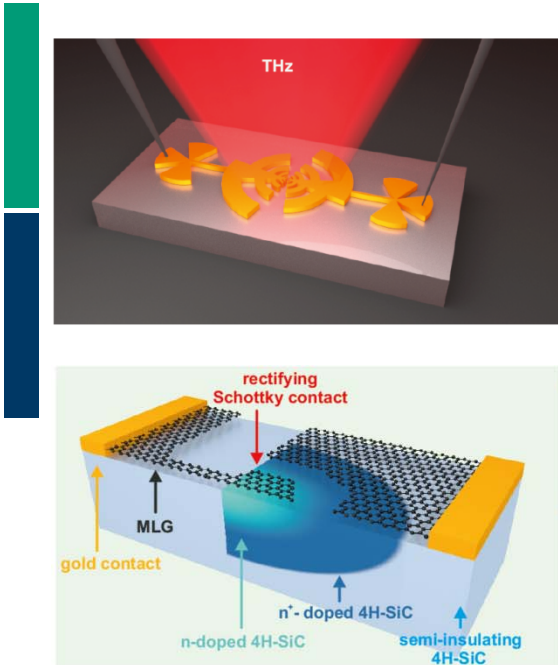
Nature materials 10, 357 (2011)
Nature communications 3:957 (2012)
2 patents

Simple Questions



Question:
How fast can a Schottky Diode
respond?

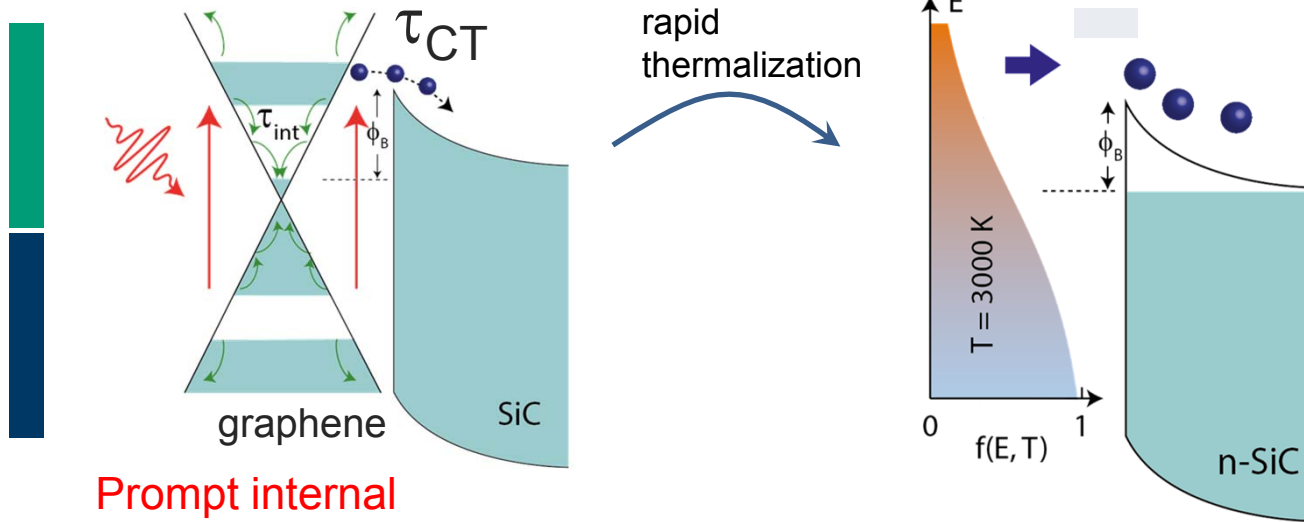
THz response



Excellent responsivity (1.1 A/W @ 90 GHz)

One-by-one correspondence between minute and picosecond timescales

Ultrafast response



Prompt internal photoemission (PIPE)

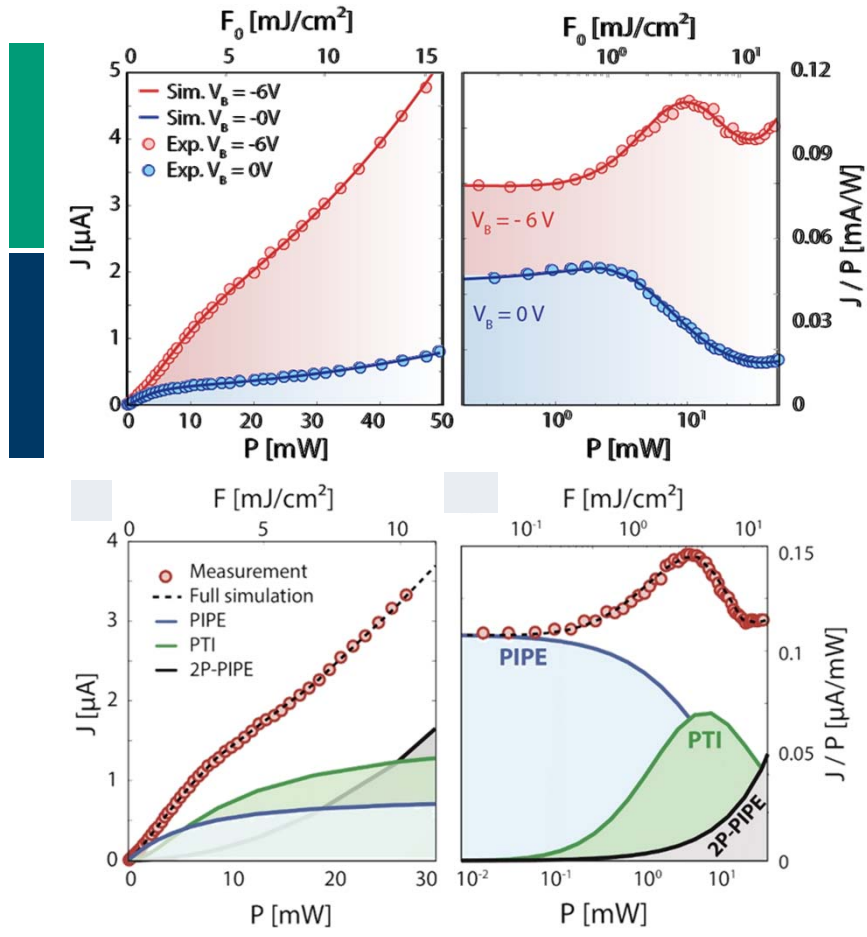
Saturable absorption

- competition between pulse duration τ_p and internal time scale $\tau_{int} \sim 20 - 50$ fs
- **additional decay channel: charge transfer with τ_{CT}**

Photo-thermionic emission (PTI) (note: PTE = photo-thermo-electric)

With P. Hommelhoff

Schottky diode as photodetector



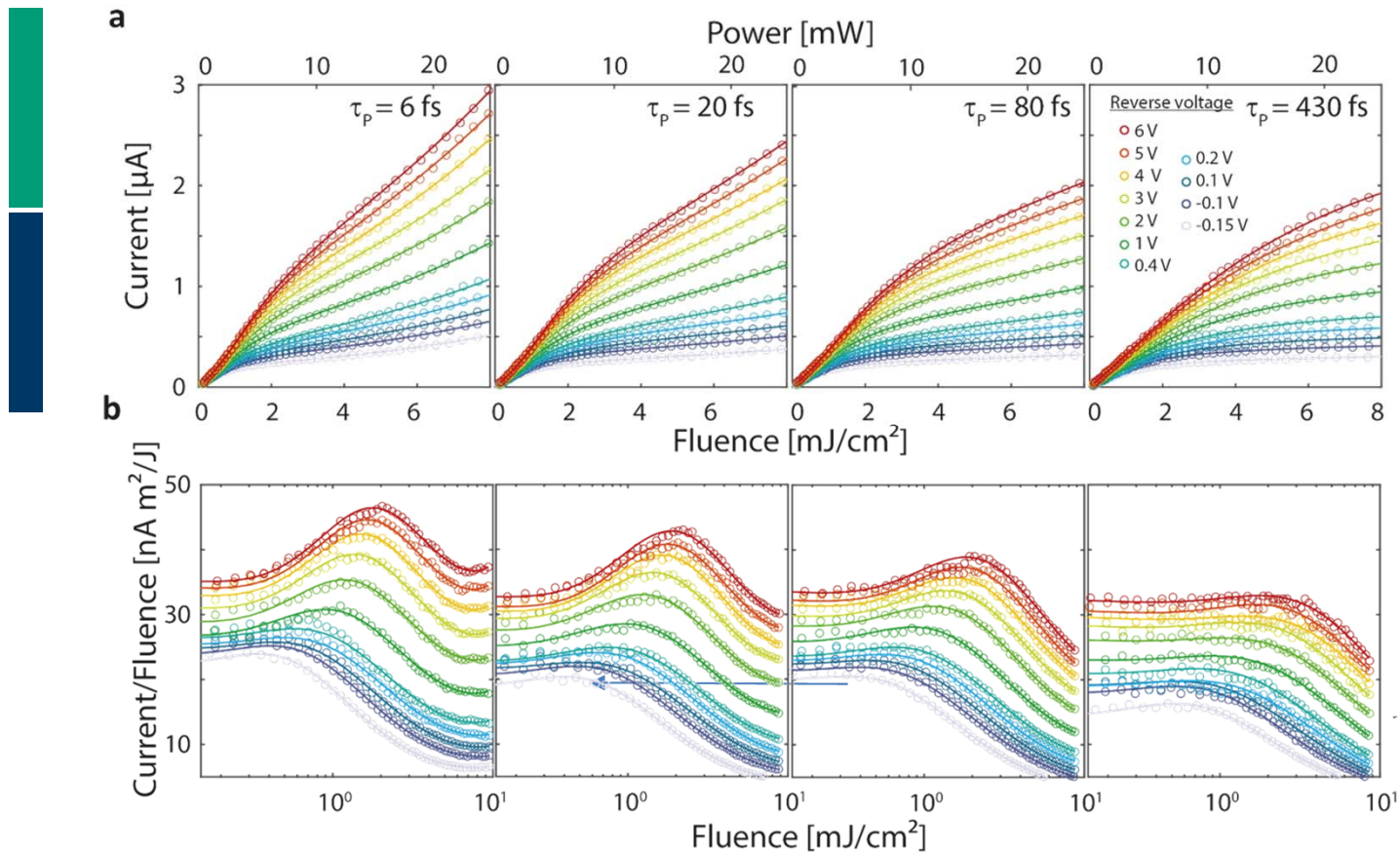
- Increase of bias voltage
- barrier becomes thinner
 - increase of IQE
 - saturation shifts to larger P
 - PTI more dominant at high laser power

Numerical simulation based on

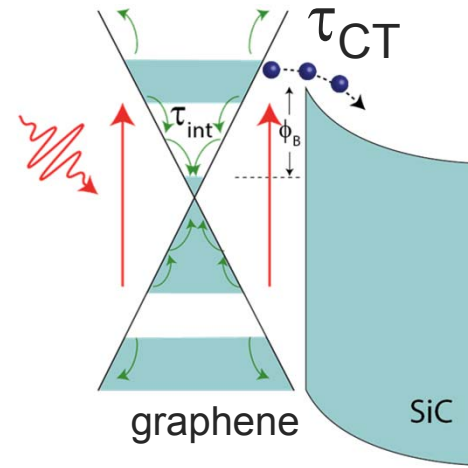
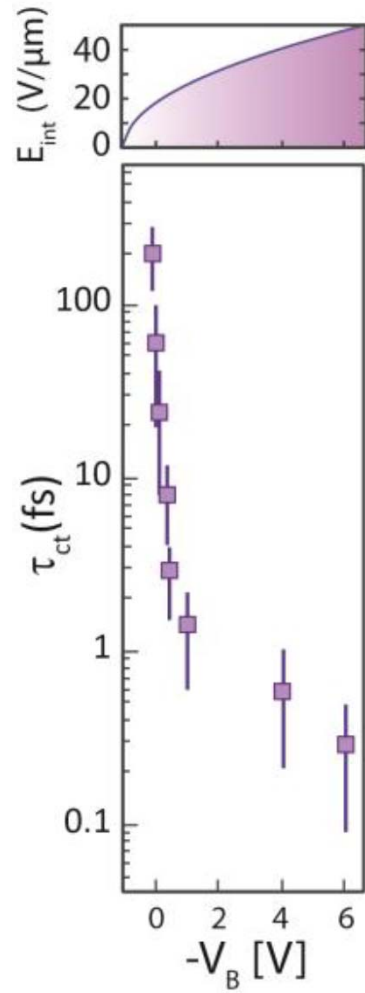
- rate equations and
- two-temperature model

Simulation can explain experimental data over entire range explored

Systematic dataset



Extraction of timescales



Fastest timescale extracted:

$\tau_{ct} = 280$ attoseconds!

Generation of THz radiation

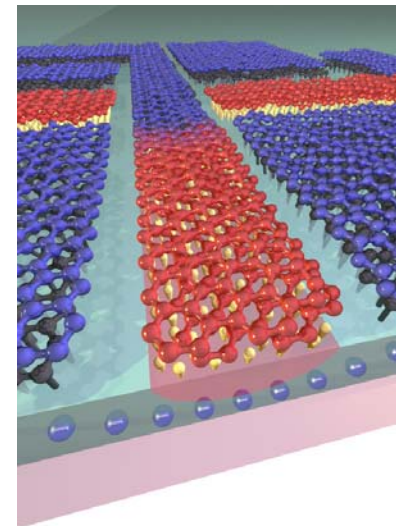


Epitaxial graphene on SiC

Physics in the graphene plane

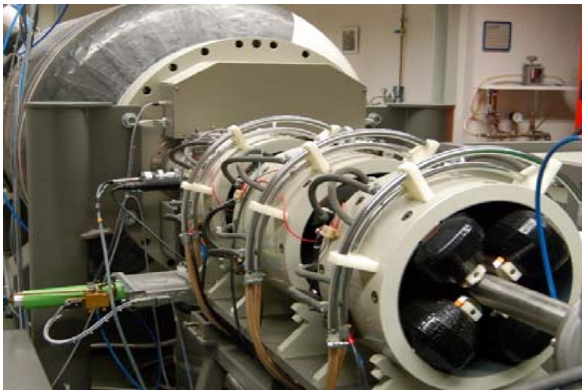
The graphene/SiC system: a Schottky junction

Physics in SiC: Colour centres

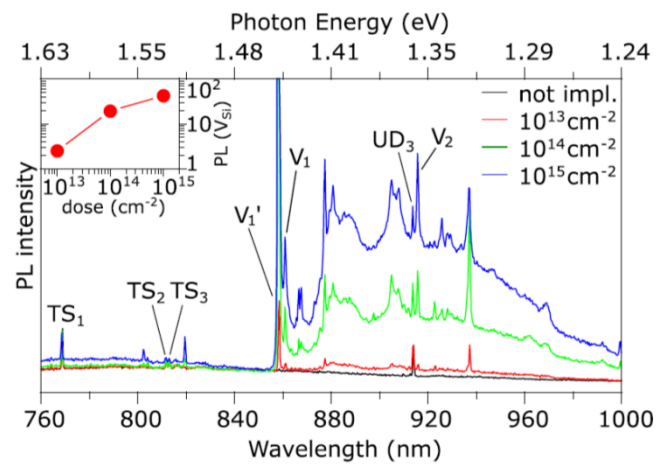
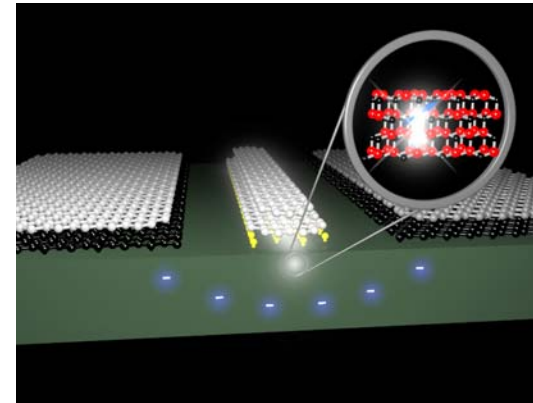


Our approach to color centres

In-house creation of defects in SiC:
Ion implantation




Graphene windows as electrical interfaces



„Our own“ defects: TS with unusual properties
APL 113, 112102 (2018)

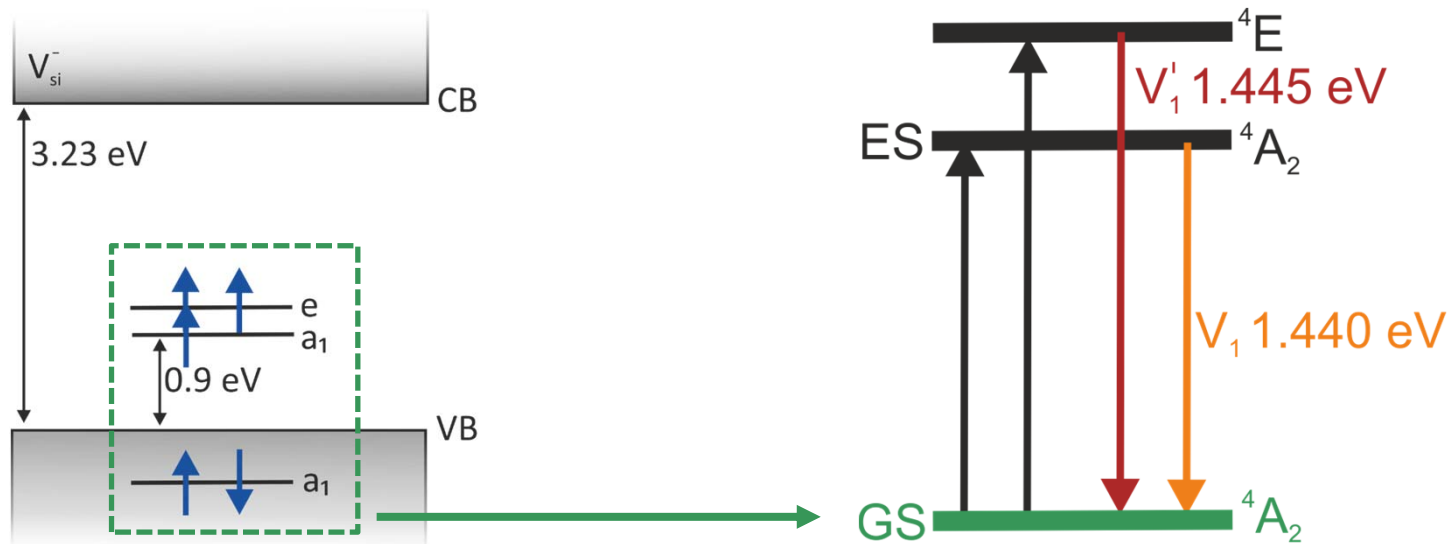
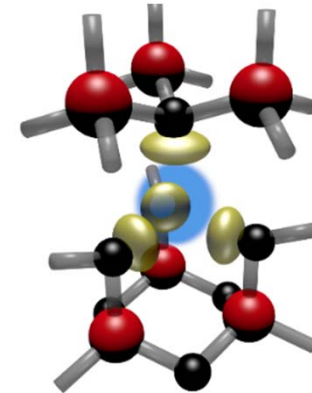
Simple questions



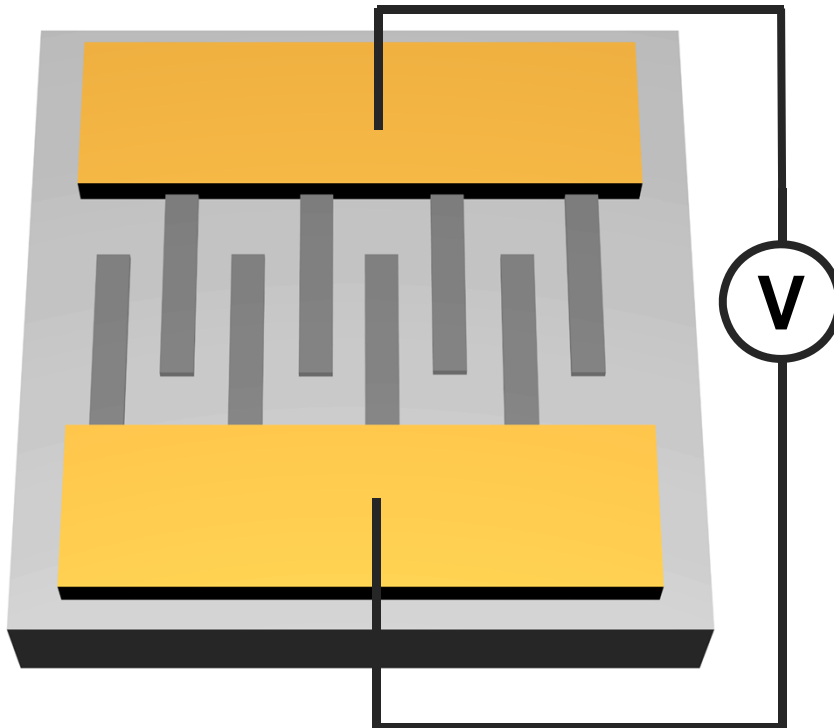
Question:
Can we control the electrostatic
environment of a color center?

The silicon vacancy V_{Si} in SiC

- V_{Si} at cubic lattice site: C_{3V} symmetry
 - 4 dangling bonds form energy levels: 2 a_1 -levels and 1 e -level
- Ground state (GS) 4A_2 with high spin of $S = 3/2$



Graphene finger structure



- SiC with V_{Si}
 - Graphene fingers:
transparent semi-metal
 - Gold contacts
- Investigation of PL **between
and below fingers**

Comsol simulation for 240 V

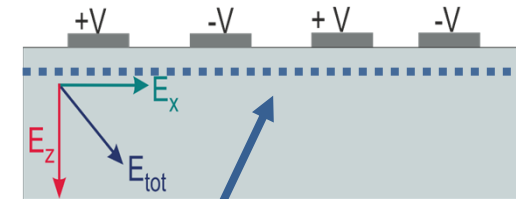
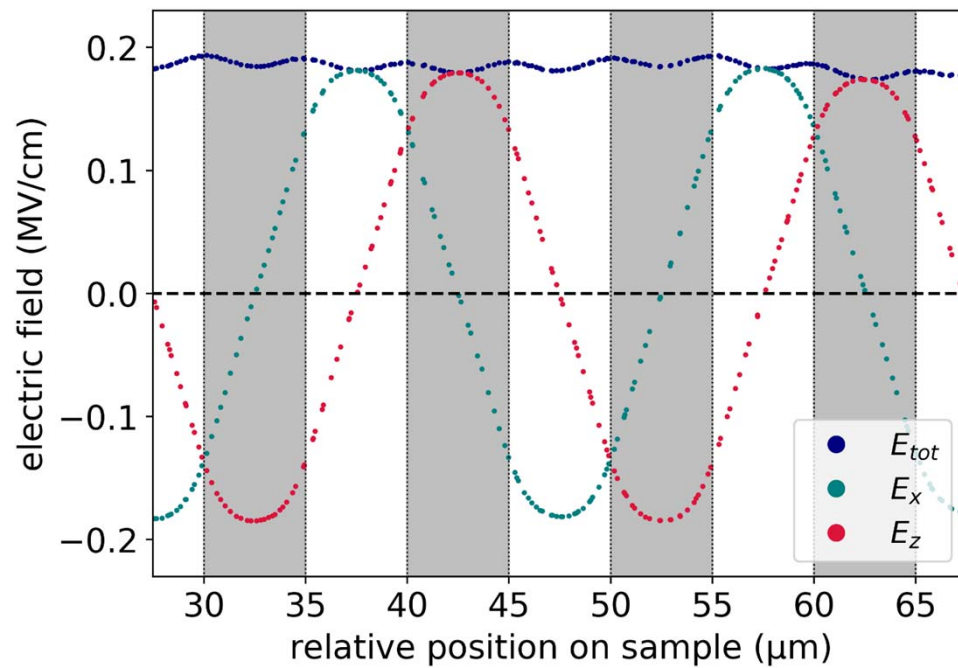
- $E_z \approx 0$

- $E_x \text{ max}$



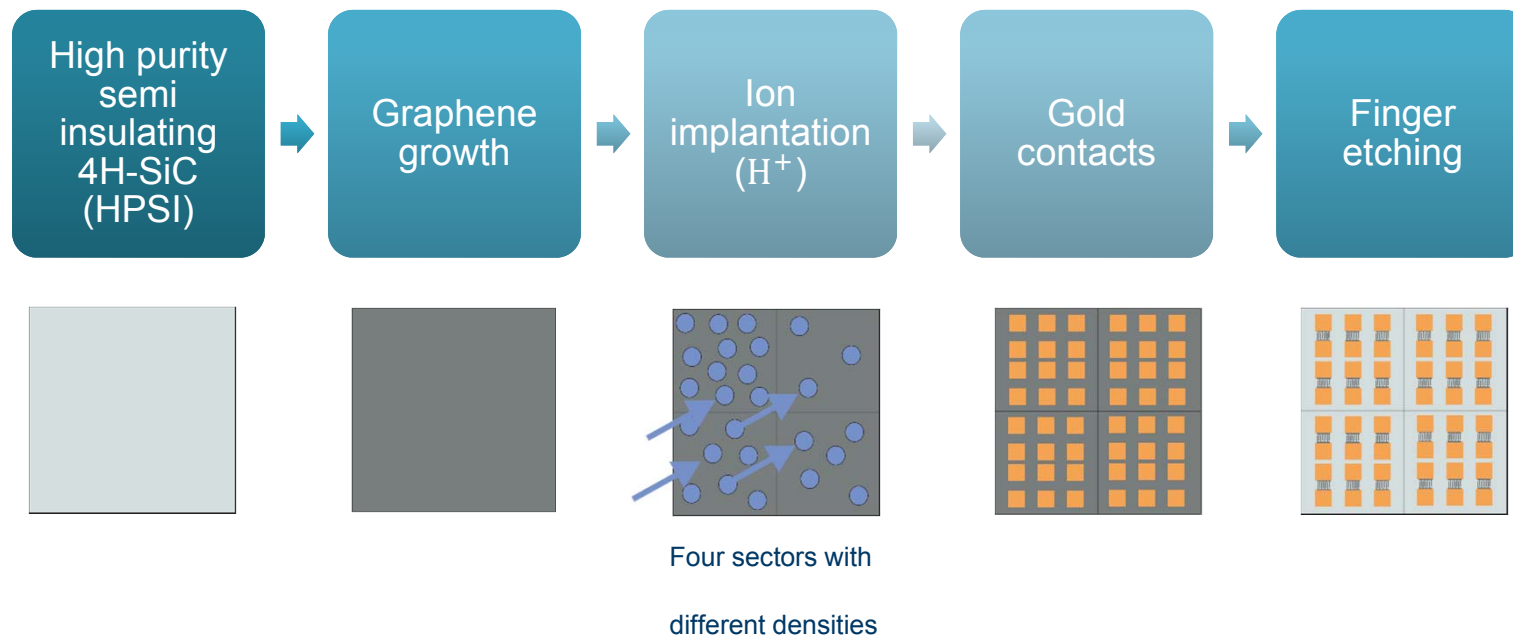
- $E_z \text{ max}$

- $E_x \approx 0$



Cutline for $z = 2.5 \mu\text{m}$

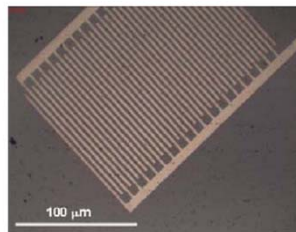
Sample Preparation



Motivation

Wide-range Electrical tunability of single-photon emission from chromium based color centers in diamond

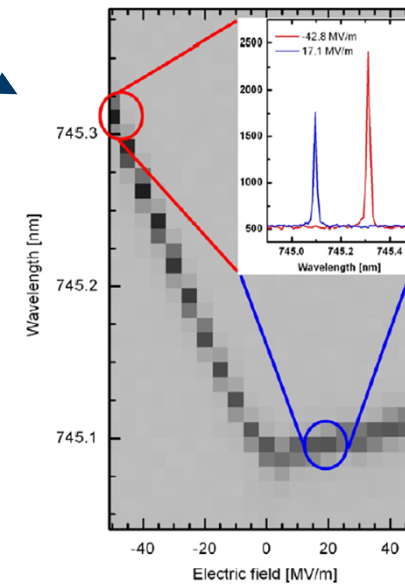
T Müller et al 2011 New J. Phys. 13075001



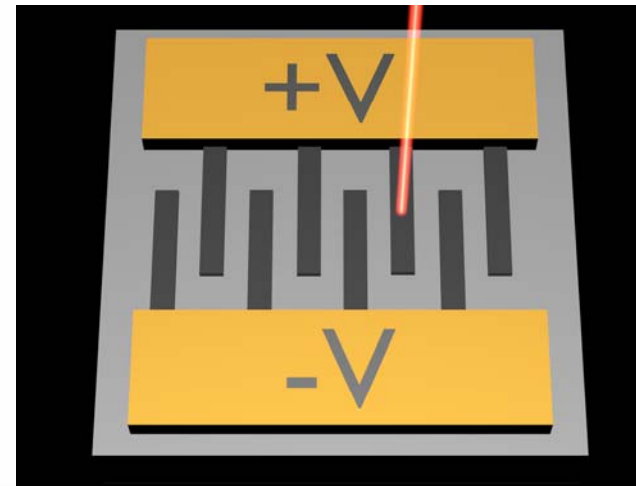
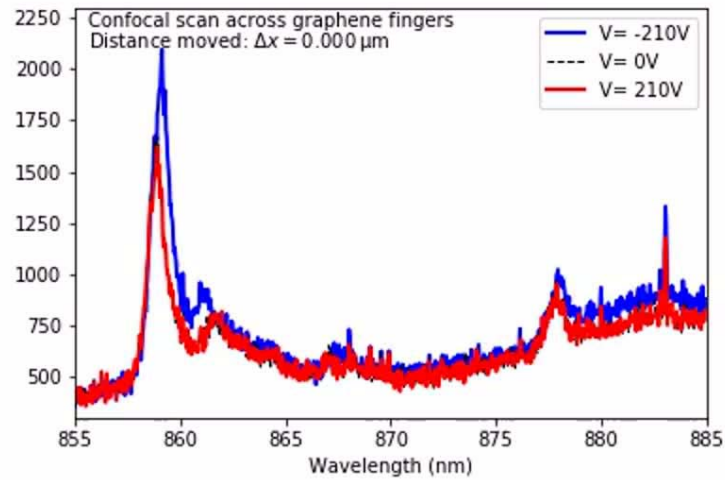
also
fingerstructures,
but in gold

Shift of the
PL peak

What about the V_{Si} ?



Confocal scan with applied electric field

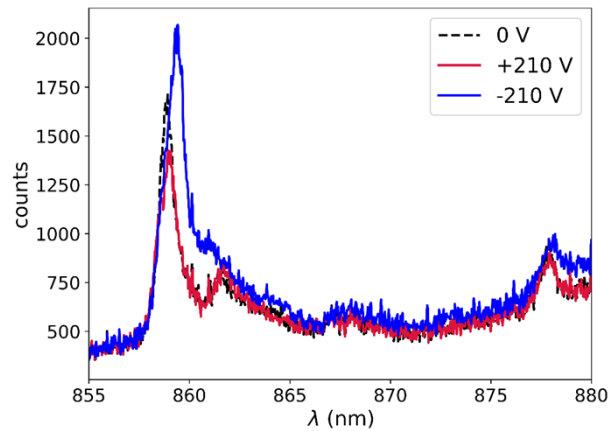


Confocal measurement with applied electric field

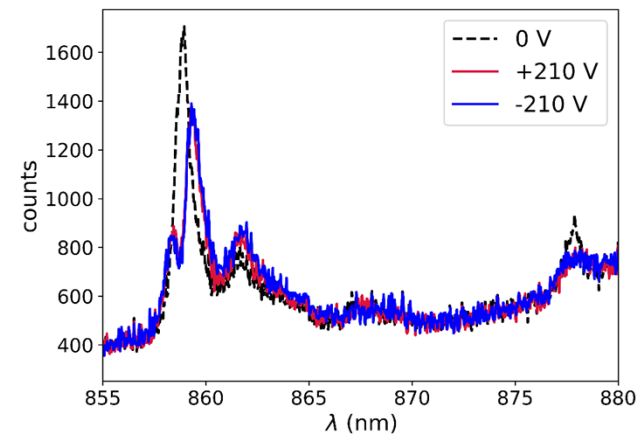
2 qualitatively different regions



below finger



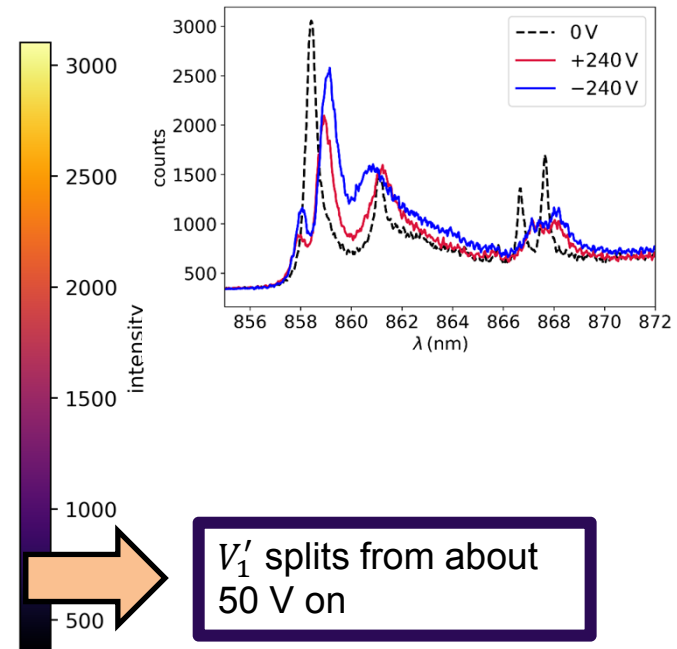
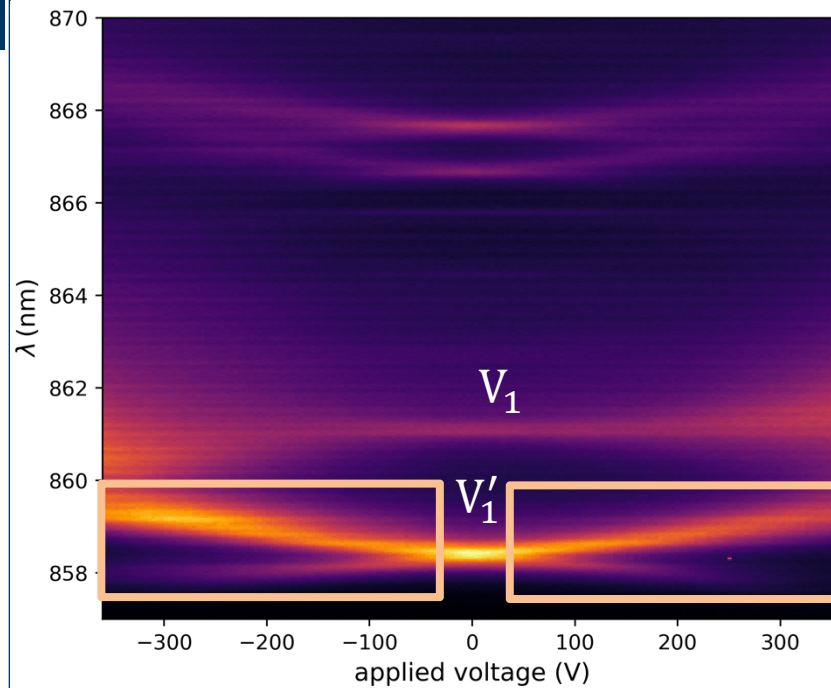
between fingers



Measurement between fingers



Between fingers: Voltage sweep



Between fingers: Stark effect

General principal of the Stark effect:

External electric field → Shifting and splitting of spectral lines

- Interaction with electric field: $H_{tot} = H_0 + V_{int}$ with $V_{int} = -\mathbf{E} \cdot \boldsymbol{\mu}$
($\boldsymbol{\mu}$: dipole moment)

- 1. order Stark effect (**Linear Stark effect**): splitting or shift

$$U_{dip}^{(1)} = -\mathbf{E} \cdot \boldsymbol{\mu}$$

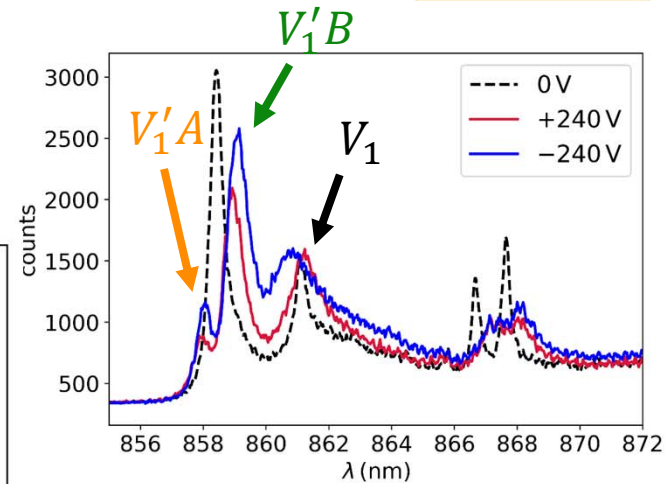
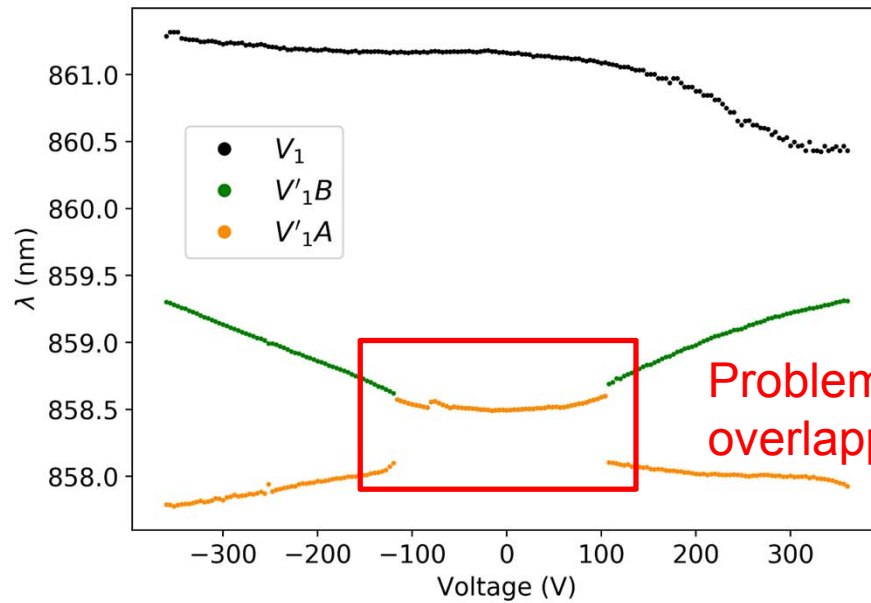
- 2. order Stark effect: dipole is induced $\boldsymbol{\mu}_{ind} \propto \mathbf{E}$

$$U_{dip}^{(2)} = -\frac{1}{2} \alpha \mathbf{E}^2 \quad (\alpha: \text{polarizability})$$

Between fingers: Stark effect



Fit of 3 Gaussian peaks (V_1 , V'_1A & V'_1B)
→ Peak position as a function of voltage

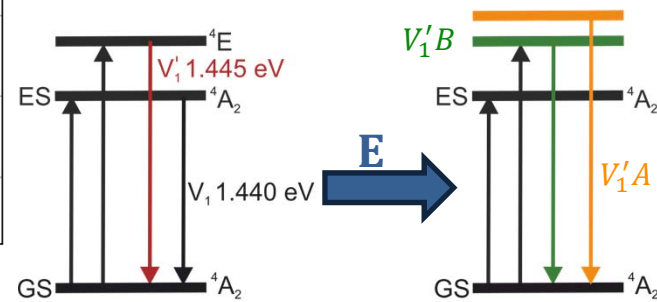
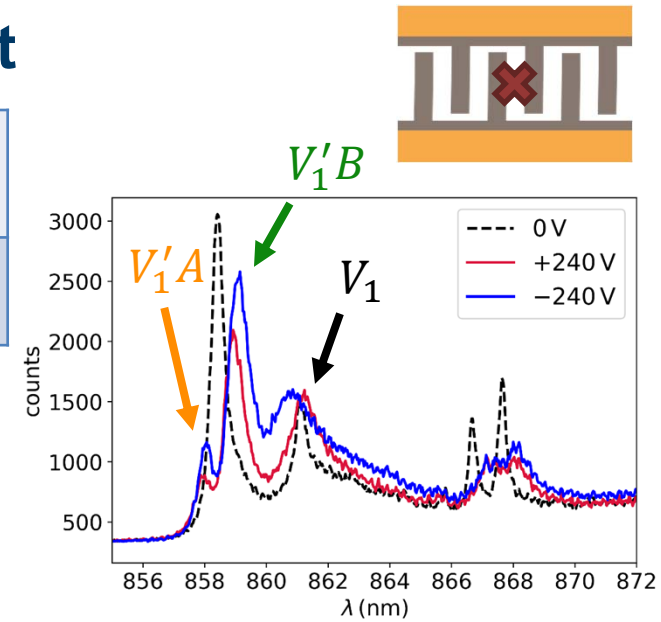
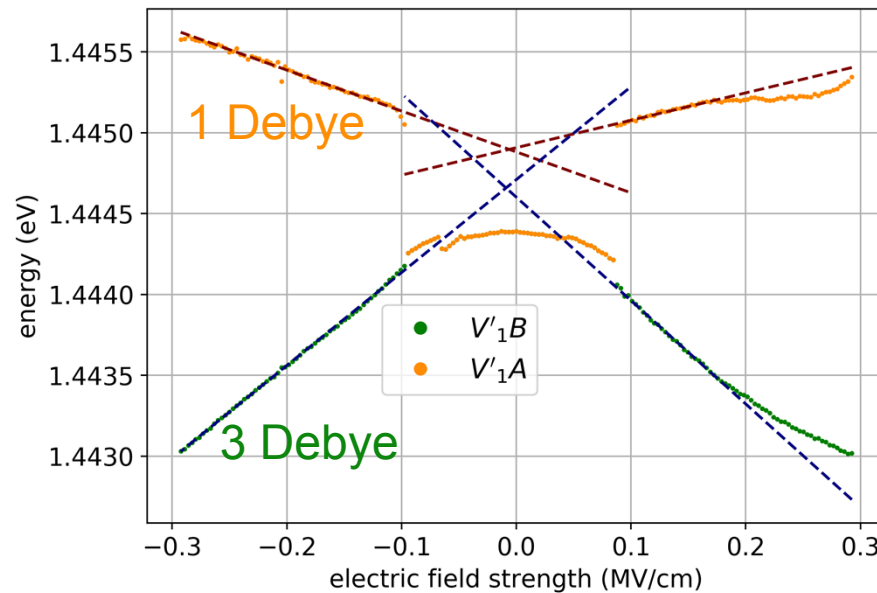


Problems with fits due to overlapping peaks

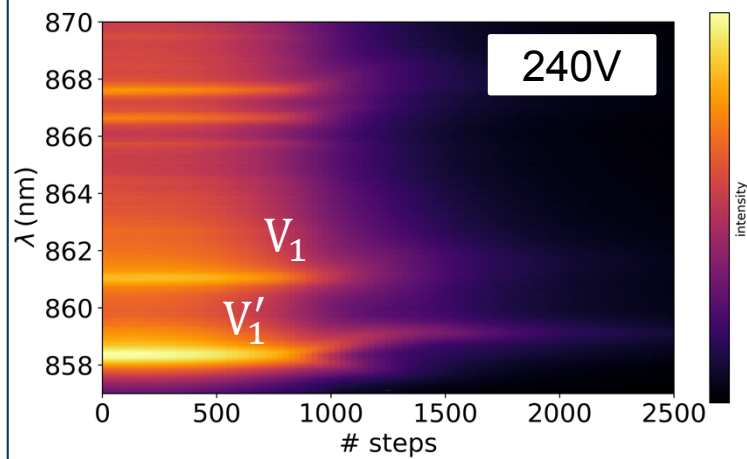
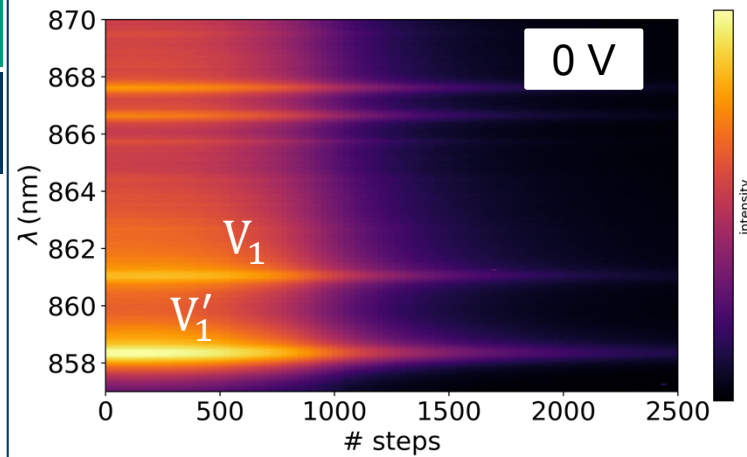
Between fingers: Stark effect

	$V'_1 A$	$V'_1 B$	NV-center
μ (Debye)	1	3	1.5

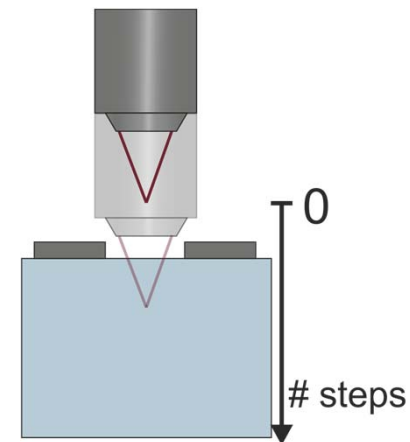
Tamarat, Ph, et al. *Physical review letters* 97.8 (2006): 083002.



Between fingers: z-scan



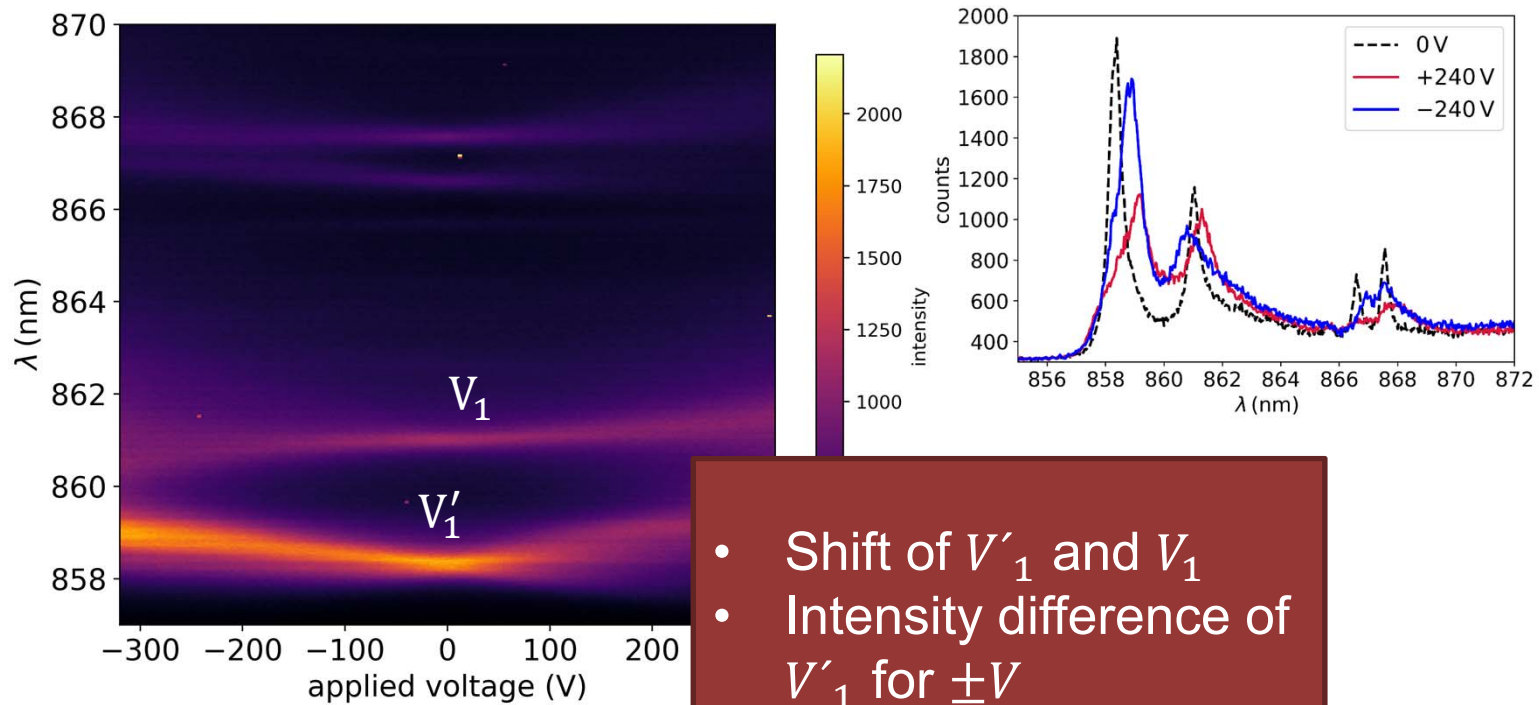
- Clear influence of electric field
- Splitting of V'_1 at certain depth
- Also for large # steps still difference between 0V and 240V



Measurement below finger

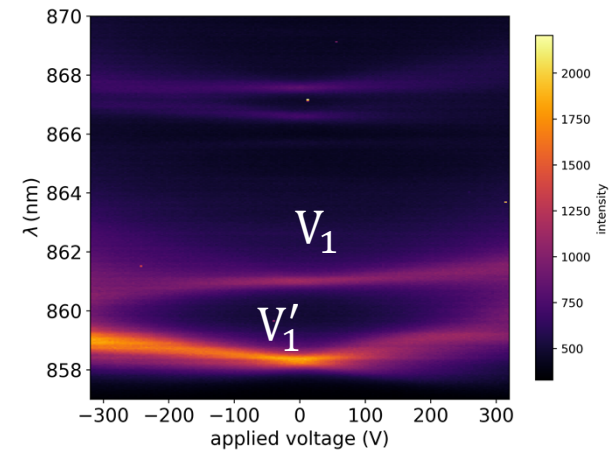
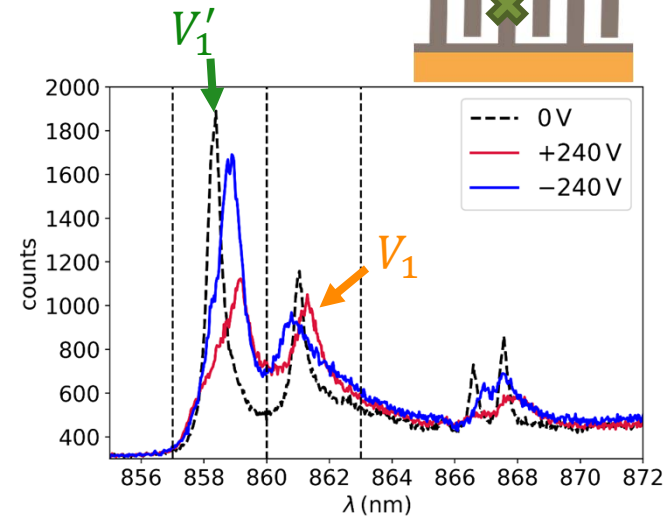
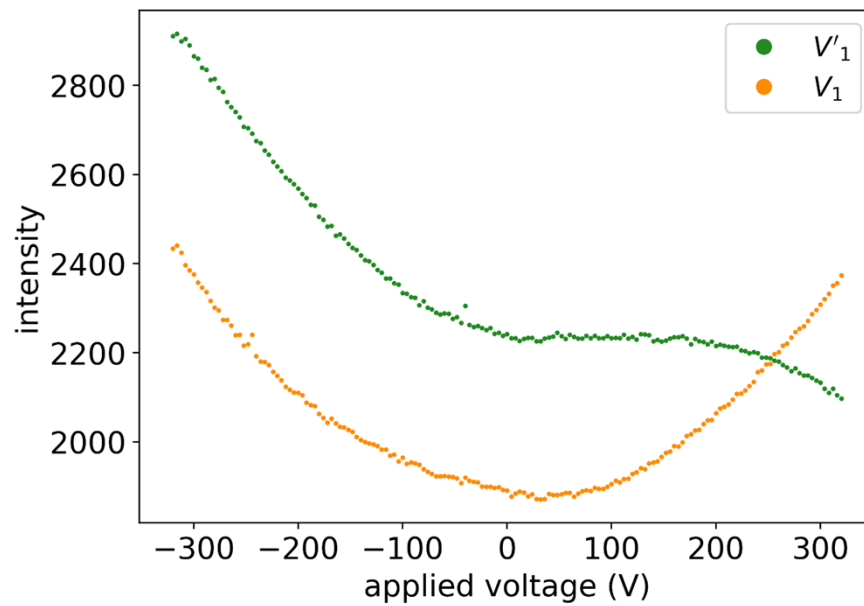


Below finger: Voltage sweep

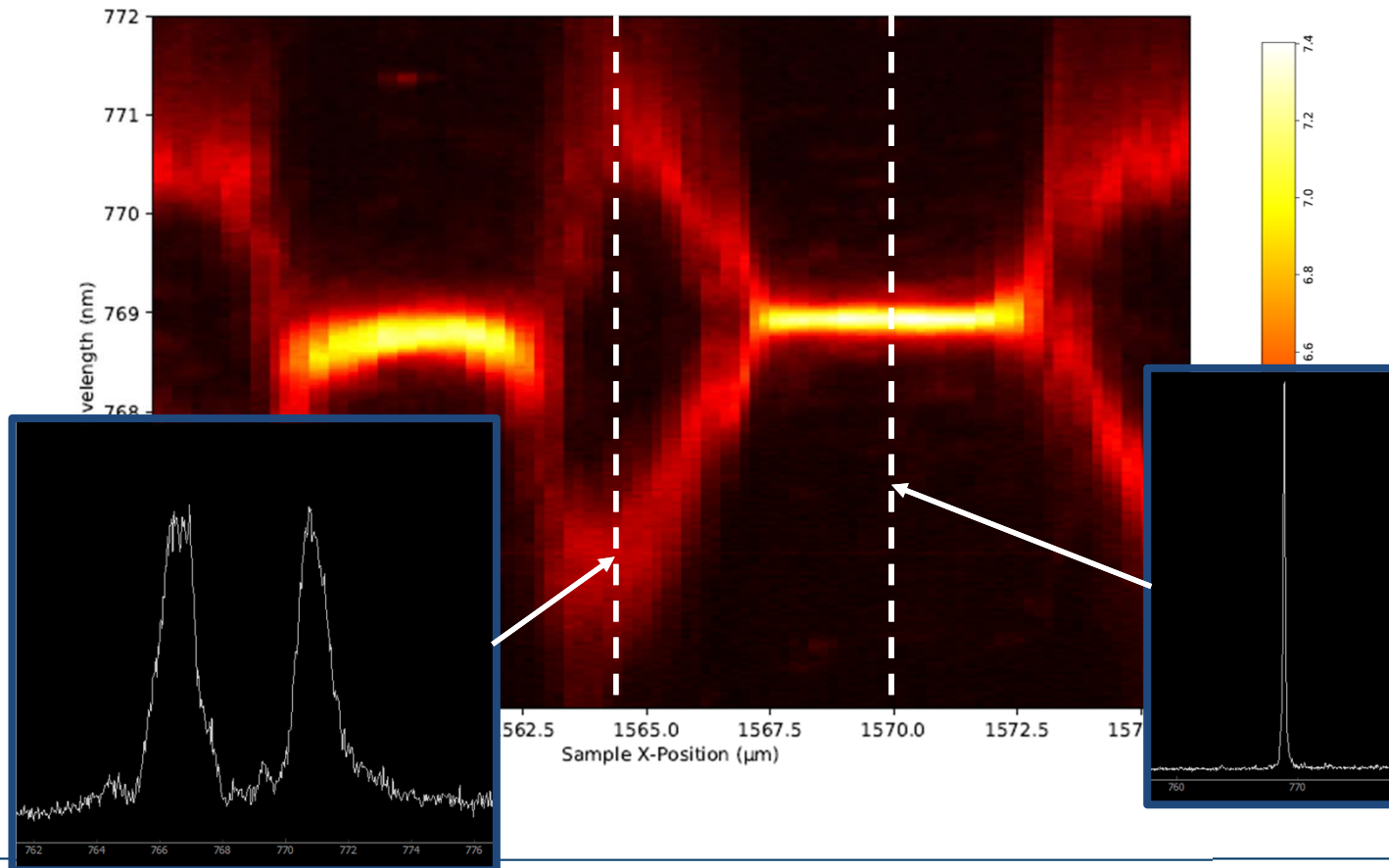


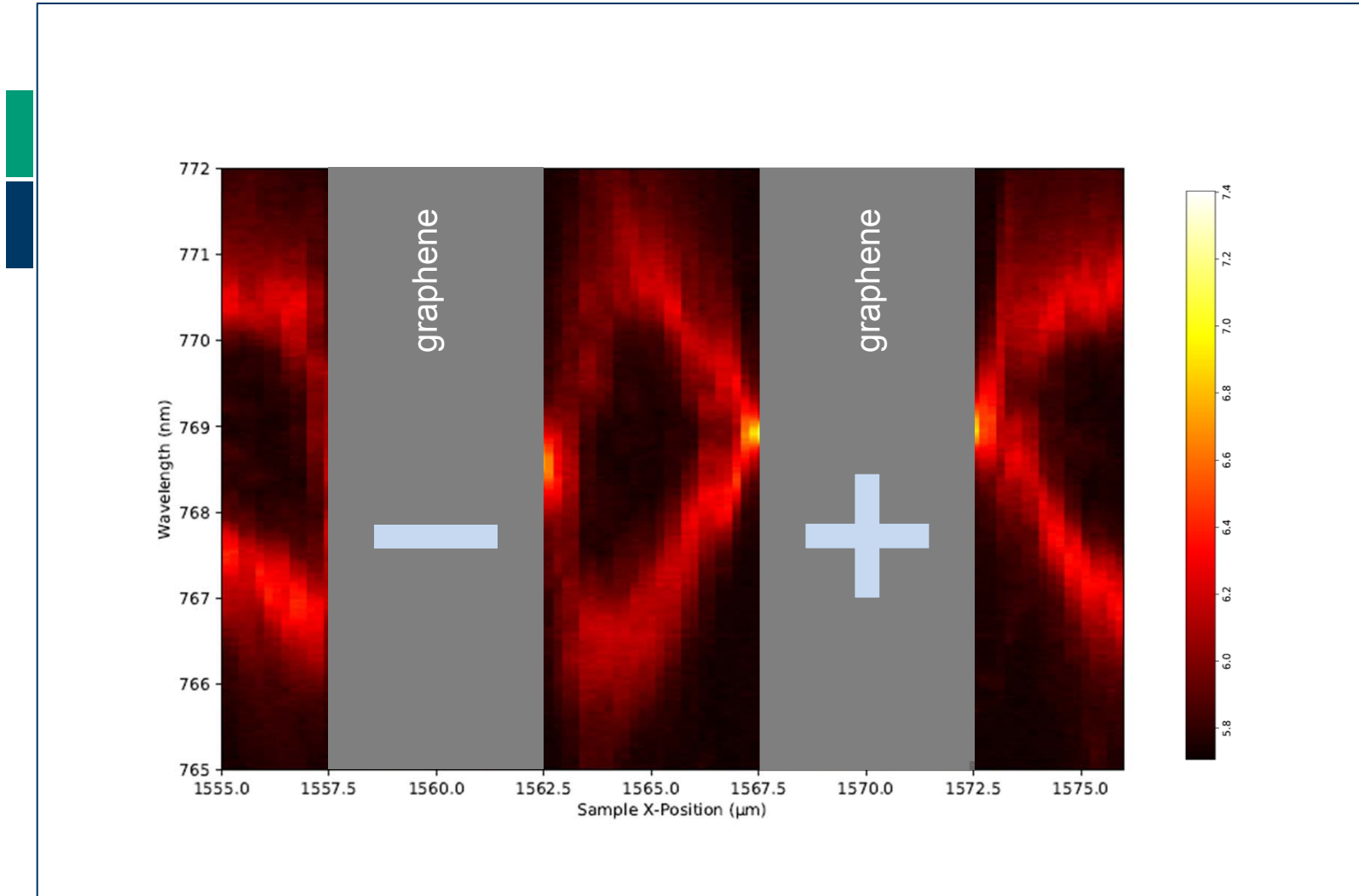
- Shift of V'_1 and V_1
- Intensity difference of V'_1 for $\pm V$

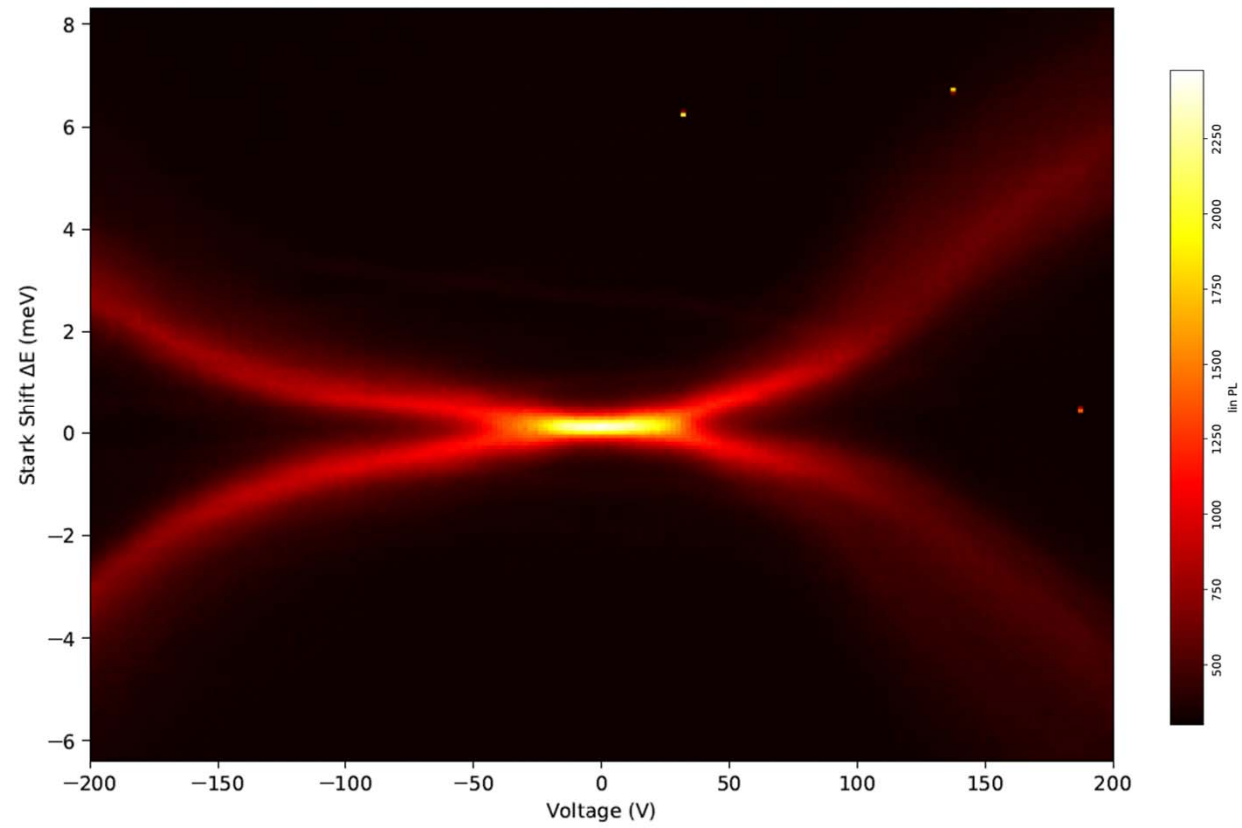
Below finger: Voltage sweep



The yet unknown TS defect: huge Stark shift





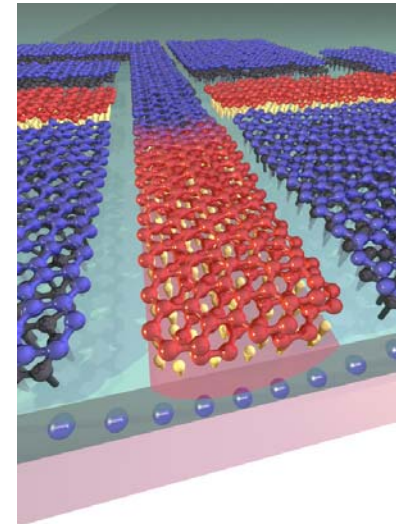


**With the material system
Epitaxial Graphene on Silicon Carbide
one can advance into so far
unattainable physical regimes**

Physics in the graphene plane

The graphene/SiC system: a Schottky junction

Physics in SiC: Colour centres





Thank you very much for your attention!

